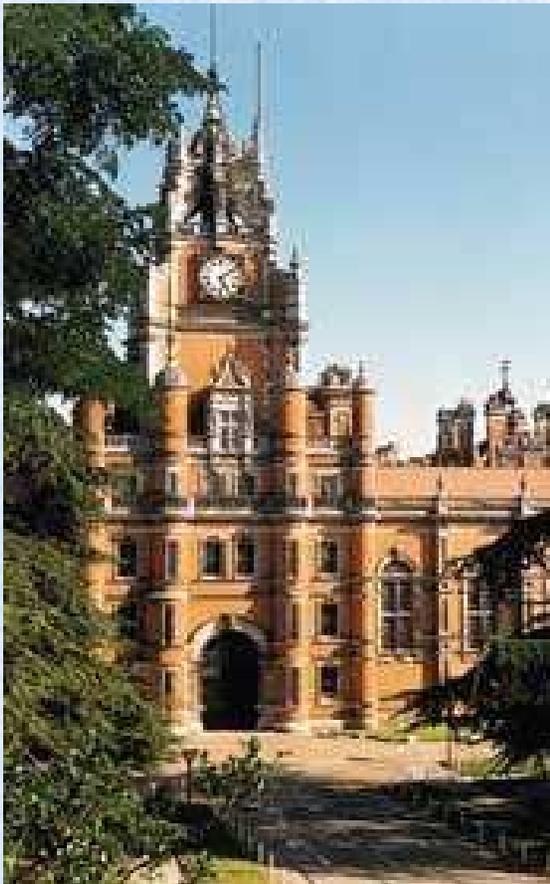


# Progress towards an electronic array on liquid helium



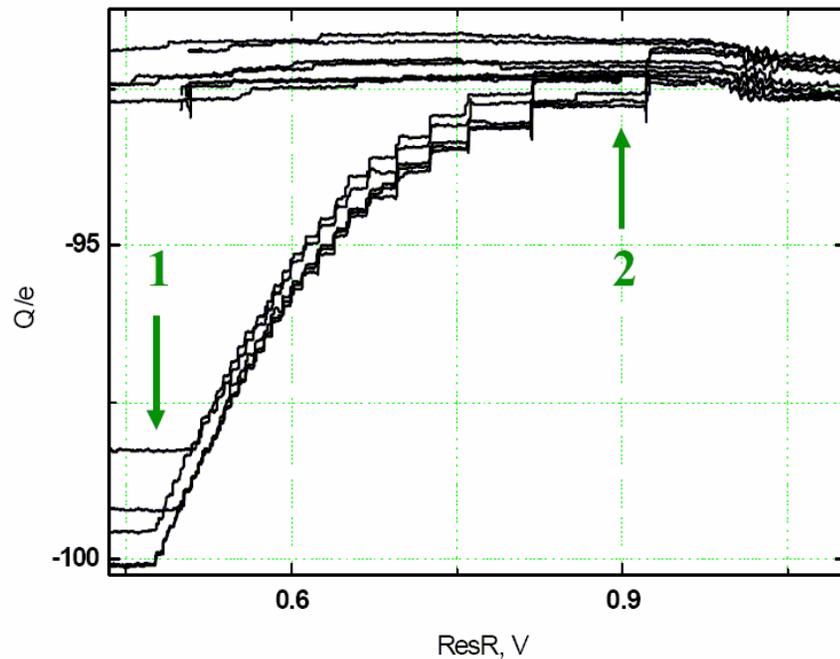
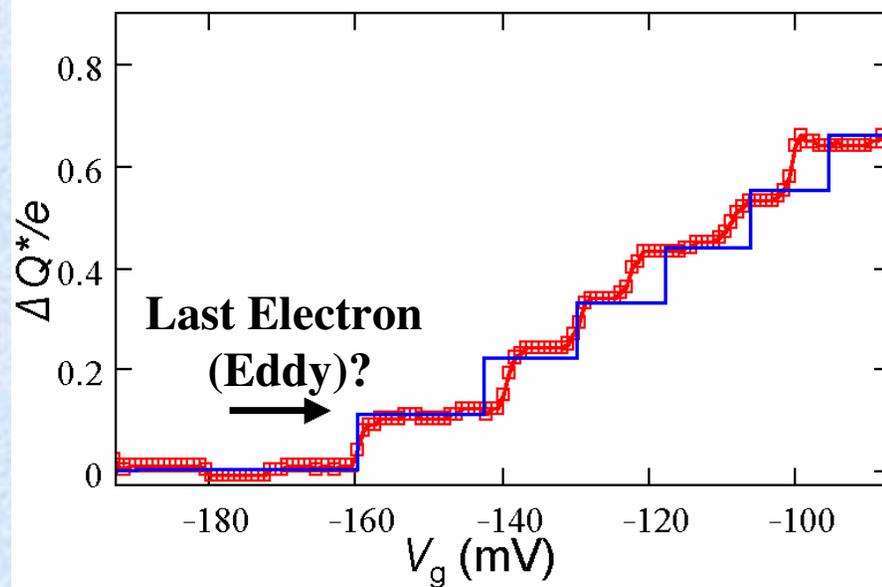
Phil Glasson  
David Rees  
Prof. Mike Lea  
Dr. Vladimir Antonov

Royal Holloway: Dr. Phil Meeson  
Dr. Peter Frayne  
Luke Simkins

Saclay: Dr. Yury Mukharsky  
Emmanuel Rousseau

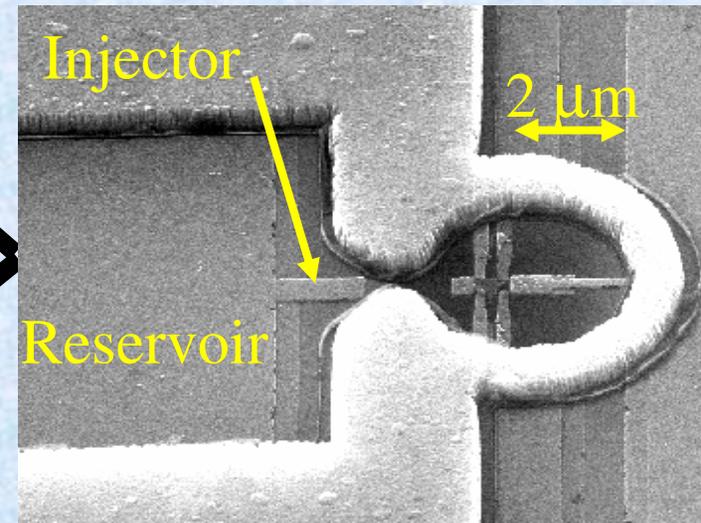
Michigan State: Prof. Mark Dykman

## Beginnings: Single Electron Control



Royal Holloway

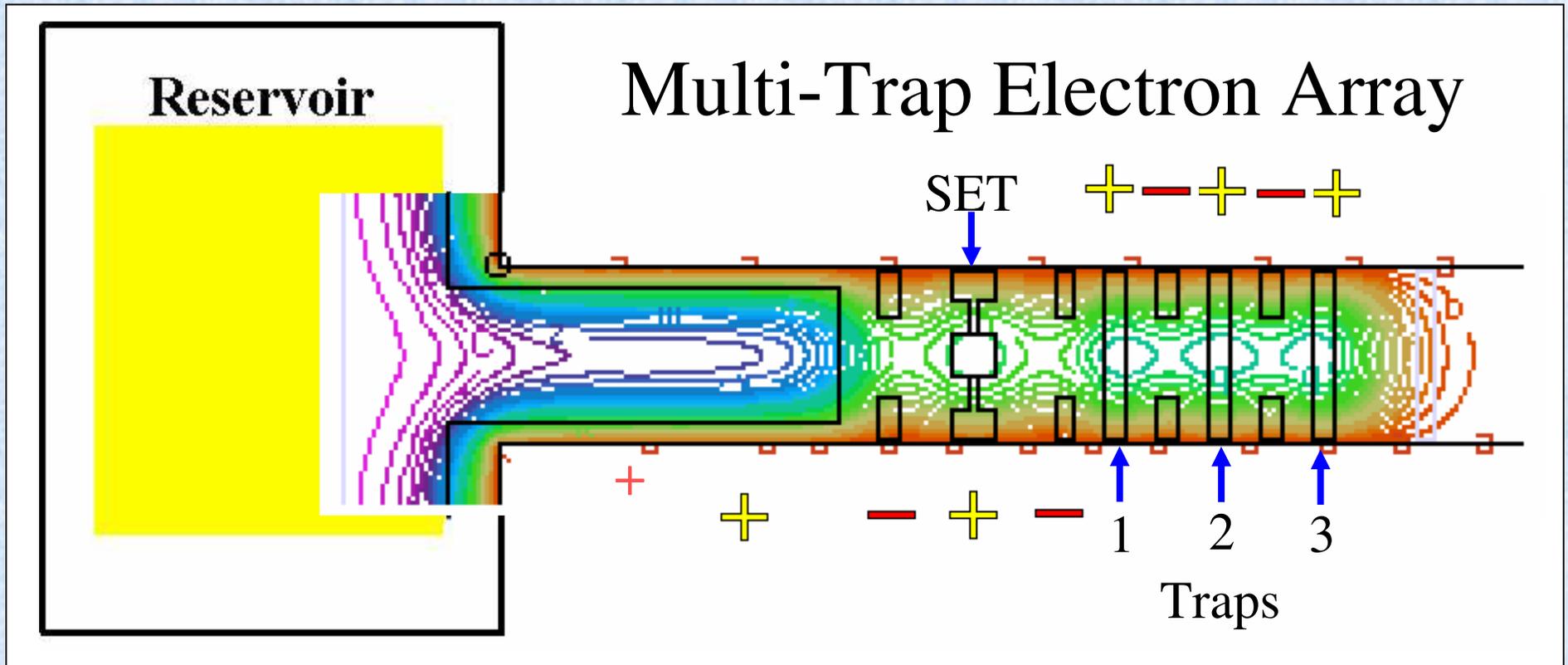
G. Papageorgiou, P. Glasson *et al*  
APL 86, 153106 (2005)



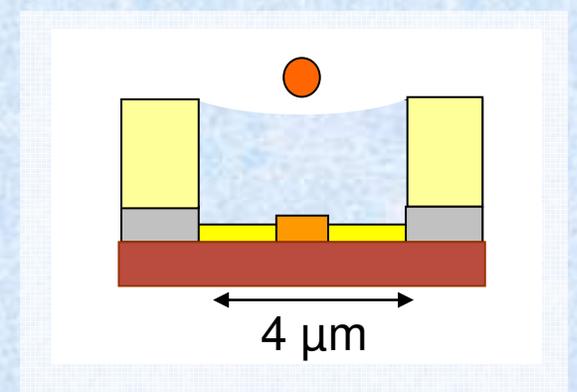
Courtesy of Dr. Yury Mukharsky  
and Emmanuel Rousseau at CEA at  
Saclay, France

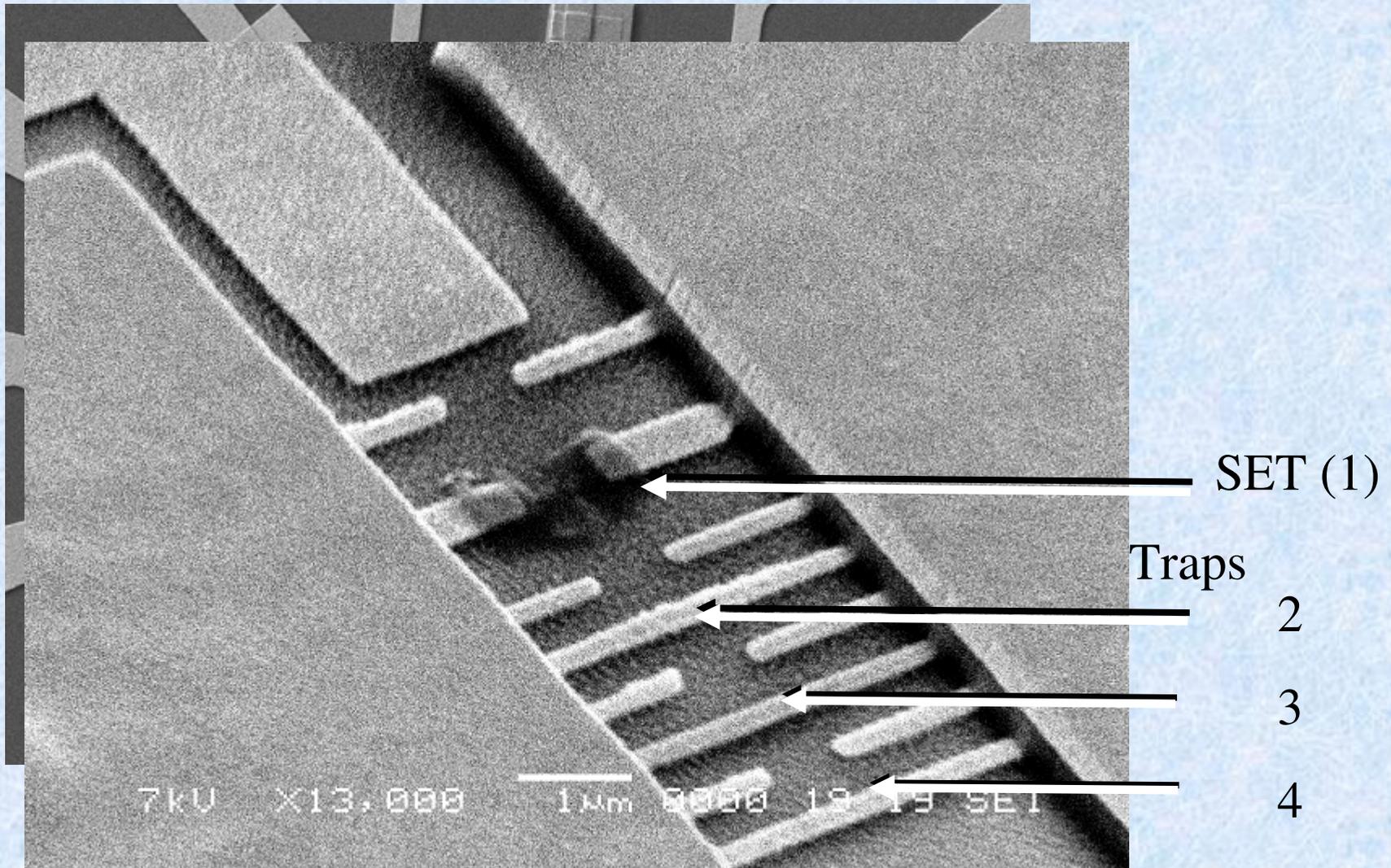
## Aims of New Device

- Single electron manipulation and detection
  - Array of electron traps
  - Trap-to-trap control and manipulation
    - Stark shift tuning (Individual trap )
- Collect electrons in an electron reservoir
  - Apply microwaves ~ 200 GHz

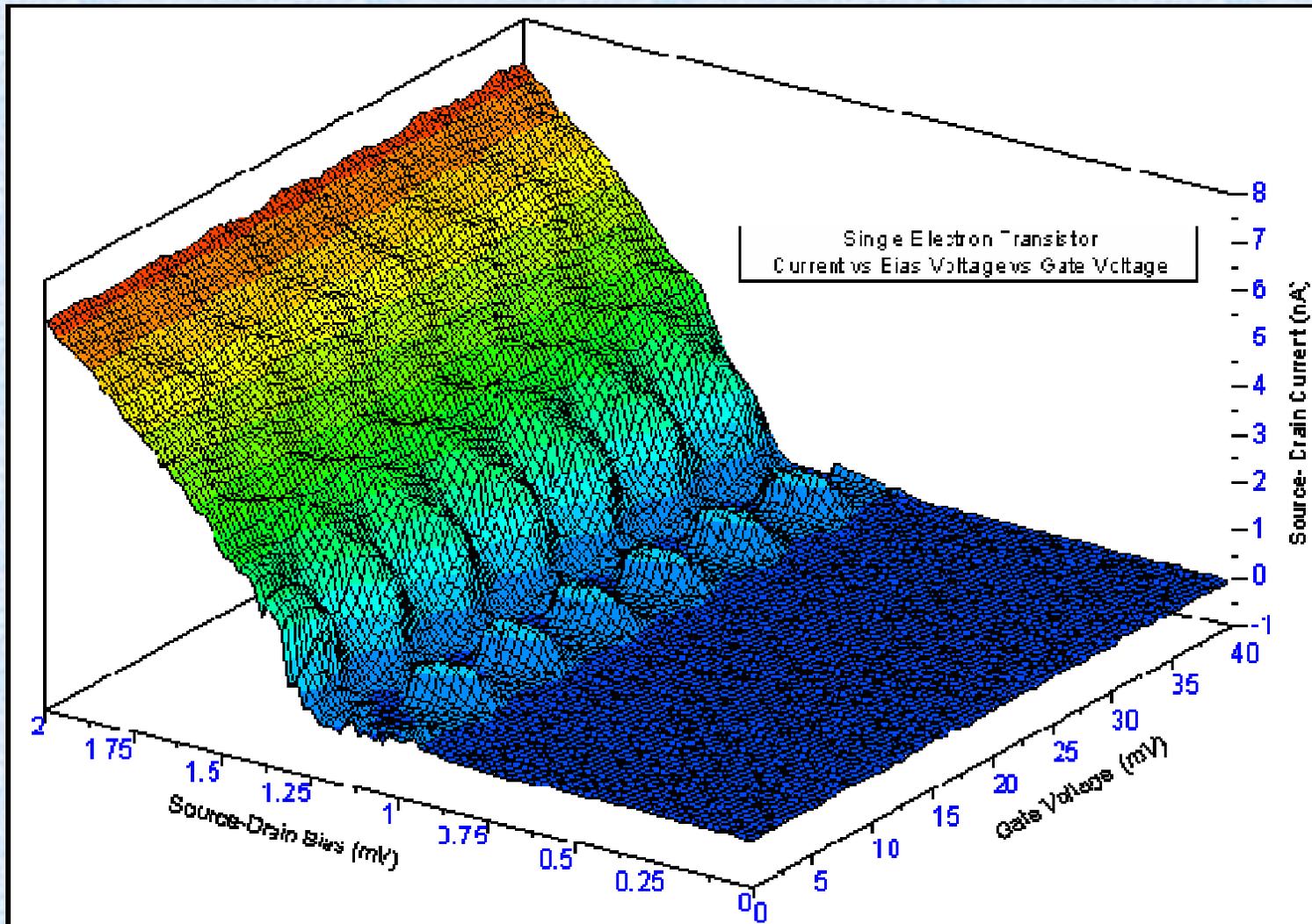


- Electron storage
- SET as an electron detector
- Multi-trap sample
- Single trap Stark shift tuneable

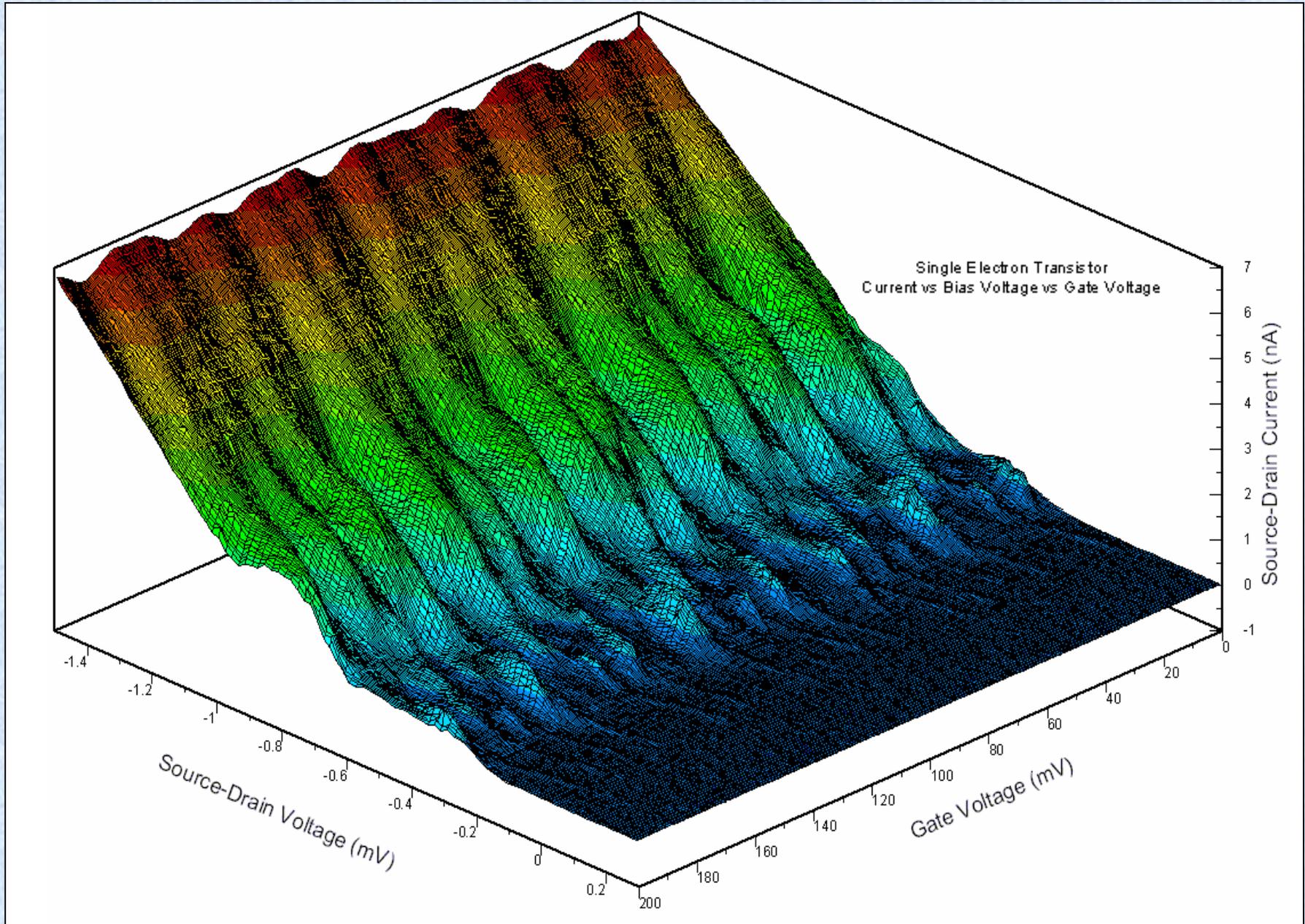




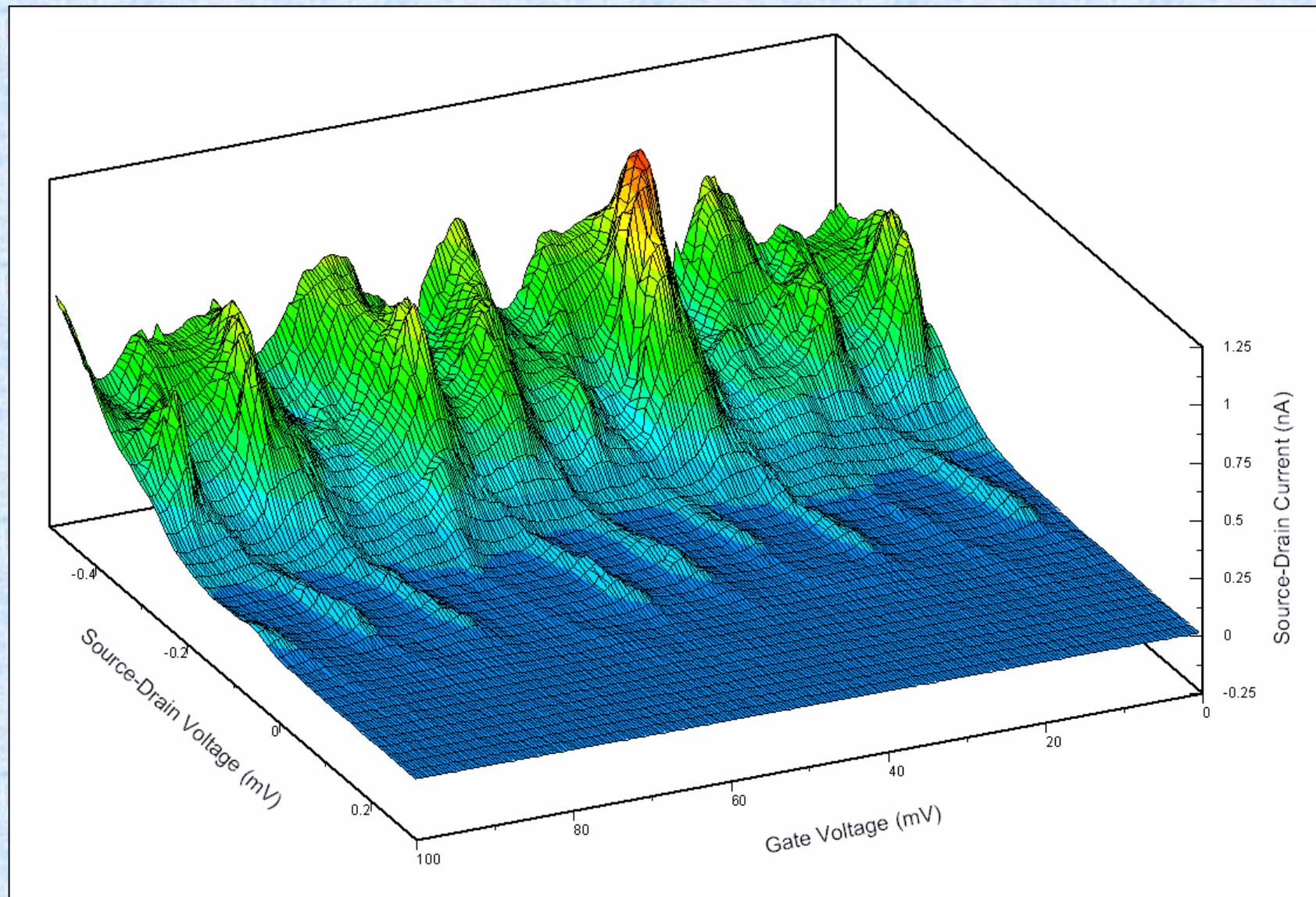
# SET I-V Curve



# Device SET $I$ - $V$ Curve



# Coulomb Blockade Oscillations (CBO)





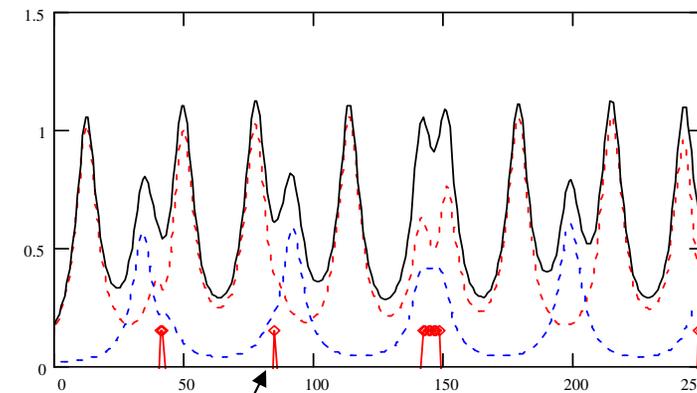
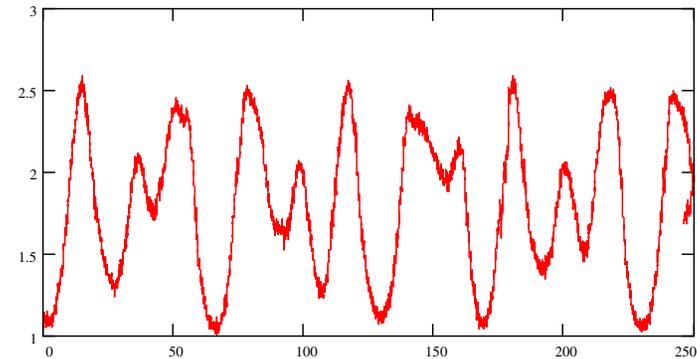
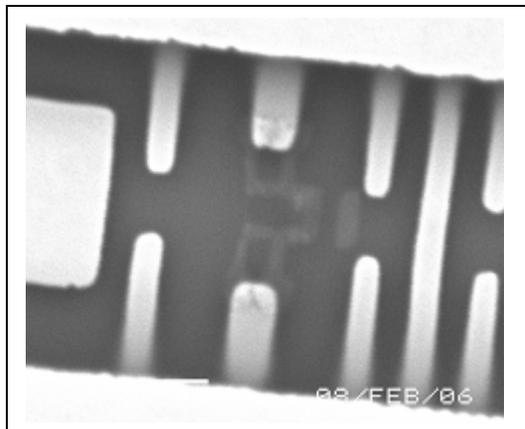
## Double-Island ?

Unusual current peaks with  $V_g$  modulation are observed!

Current peak positions are predicted by assuming 2 SET islands capacitively coupled.

Structure reproduced by Lorentzian fit about each peak position.

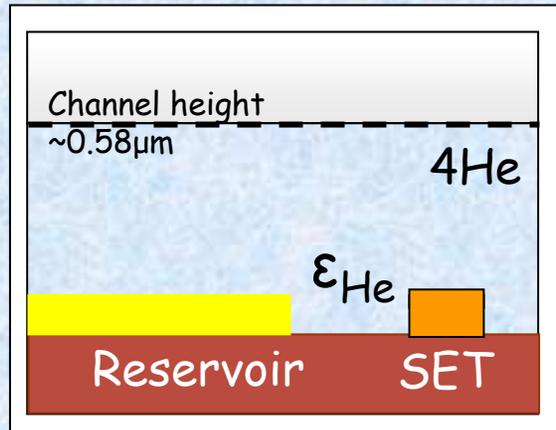
However, SET is still charge sensitive!



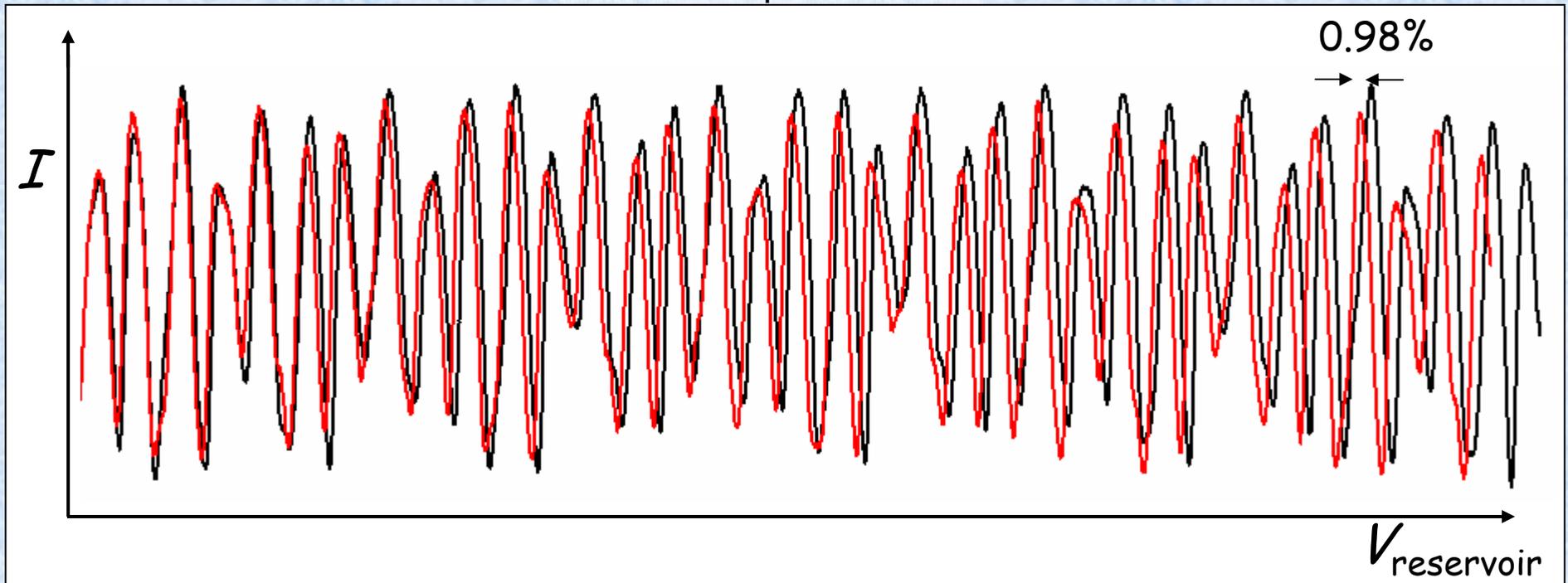
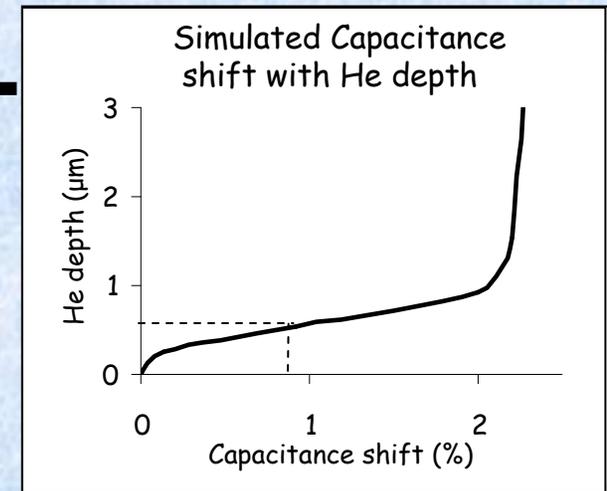
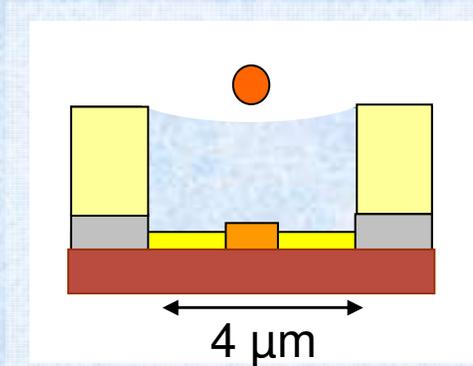
$V_{res}$  (mV)

Noise predicted

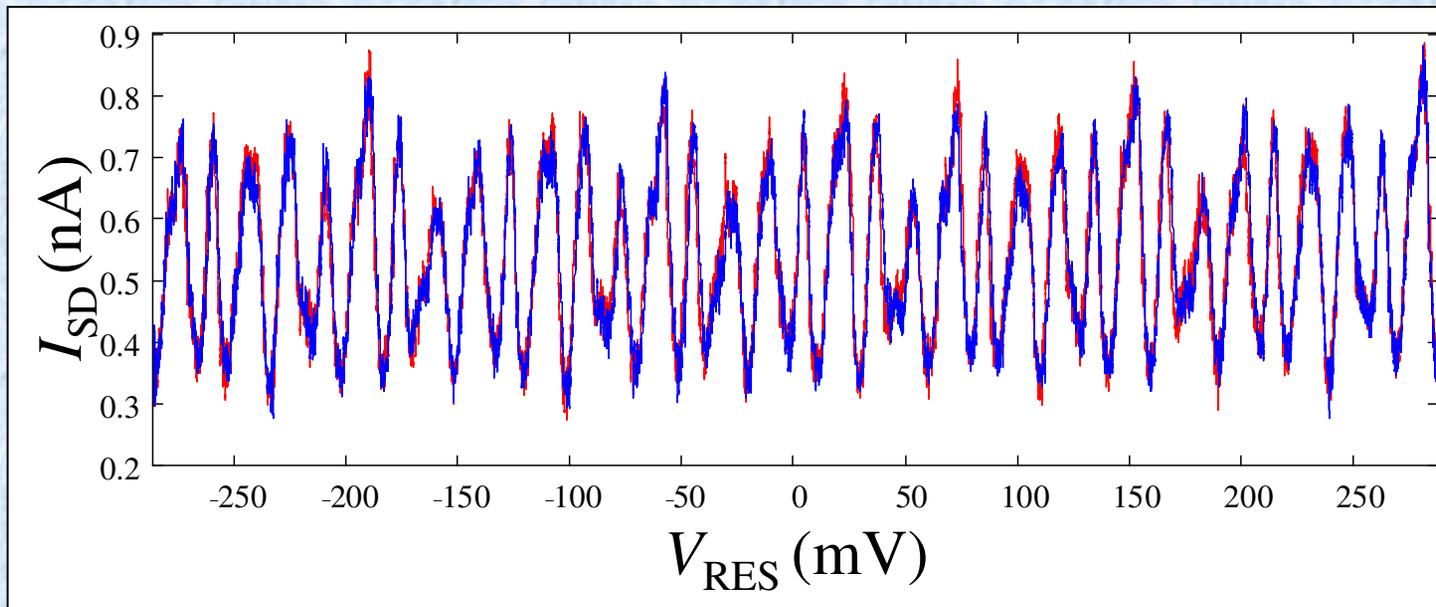
# Phase Shift Due to Adding Helium



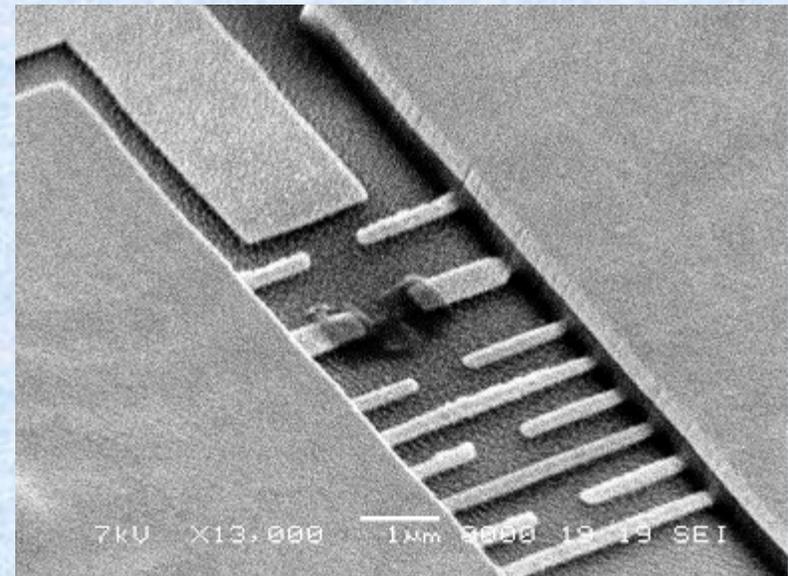
$d_{\text{He}} = 0.58 \mu\text{m}$   
predicts a 0.92%  
change in period.



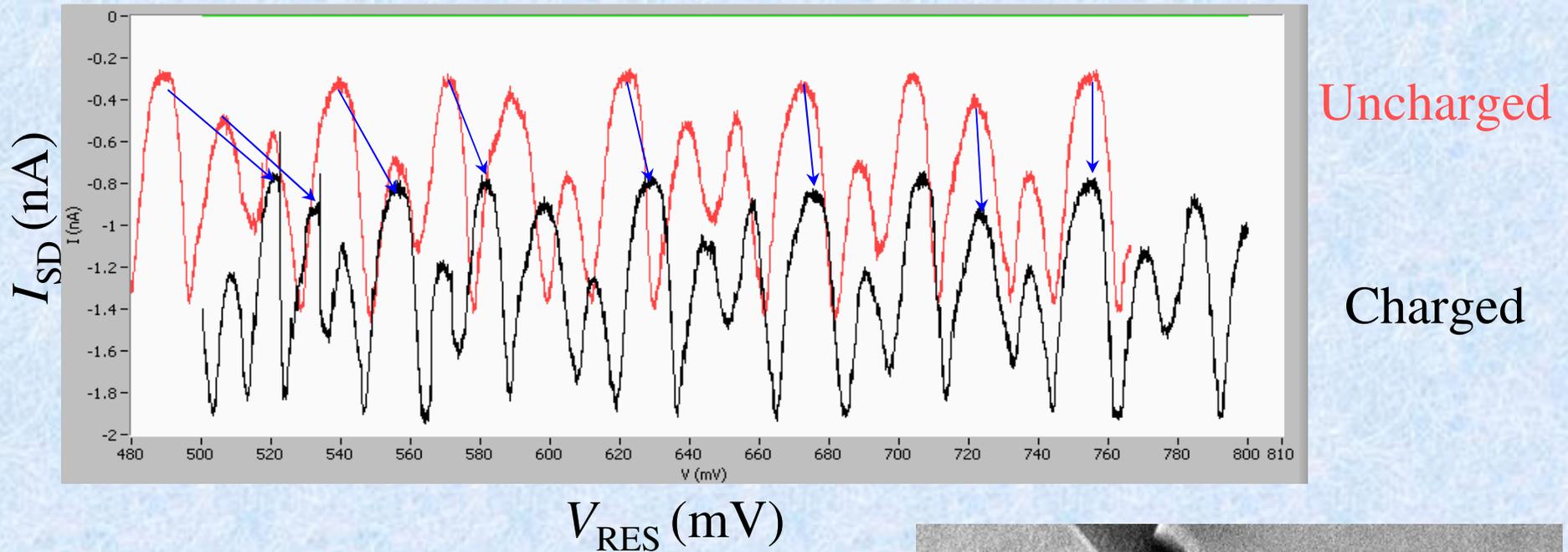
## Phase Stability Before Adding Electrons



- Before charging:  
Stable phase over 600 mV range

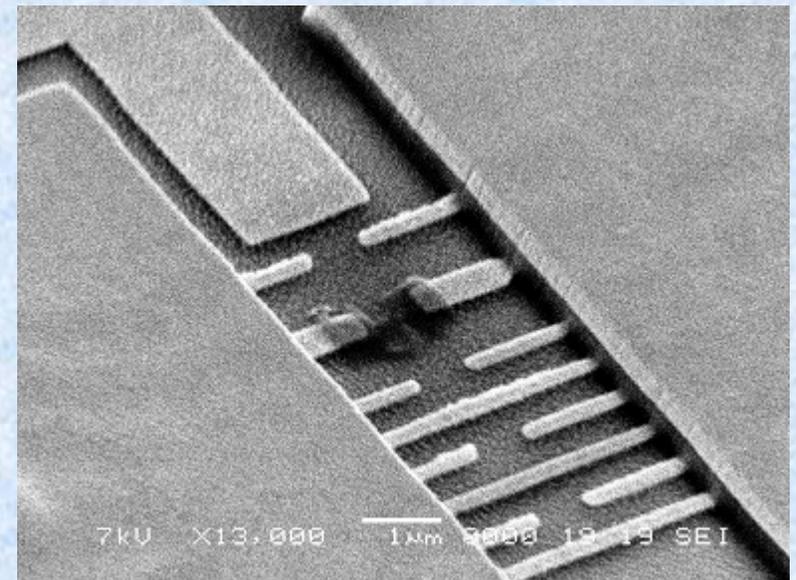


## Charged: Phase changes

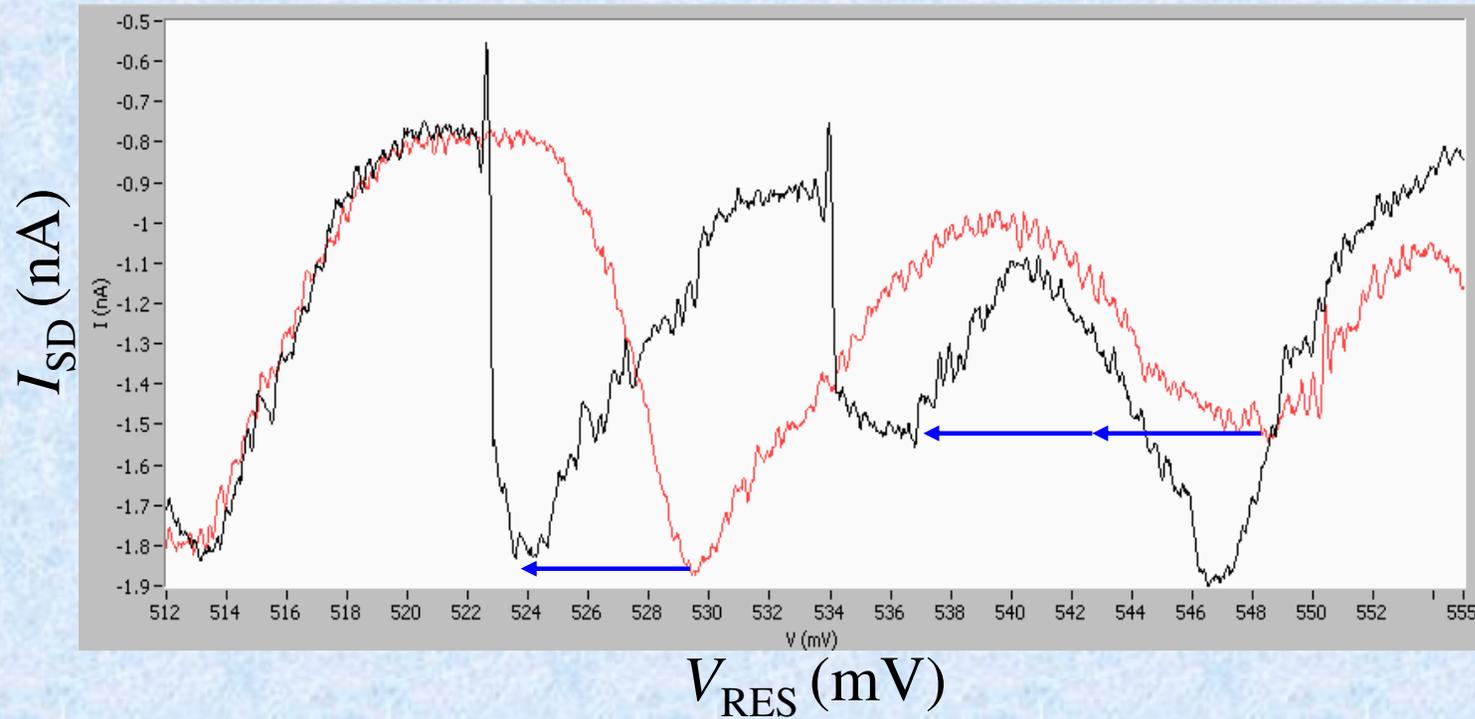


After Charging:

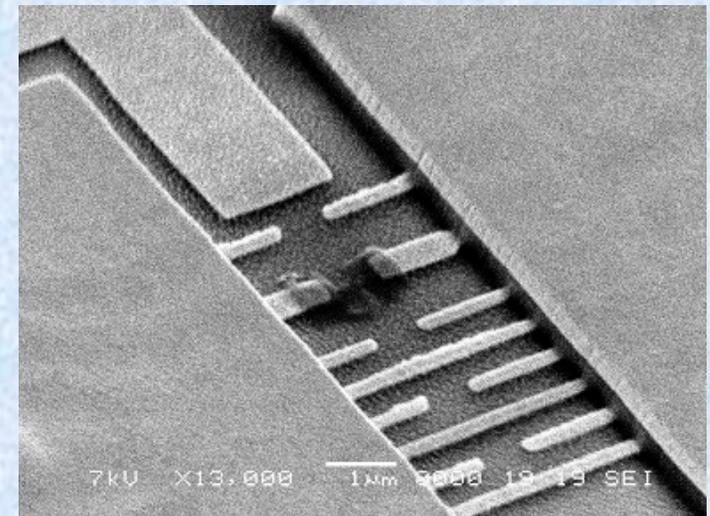
- Decrease in period
- Changes in phase observed

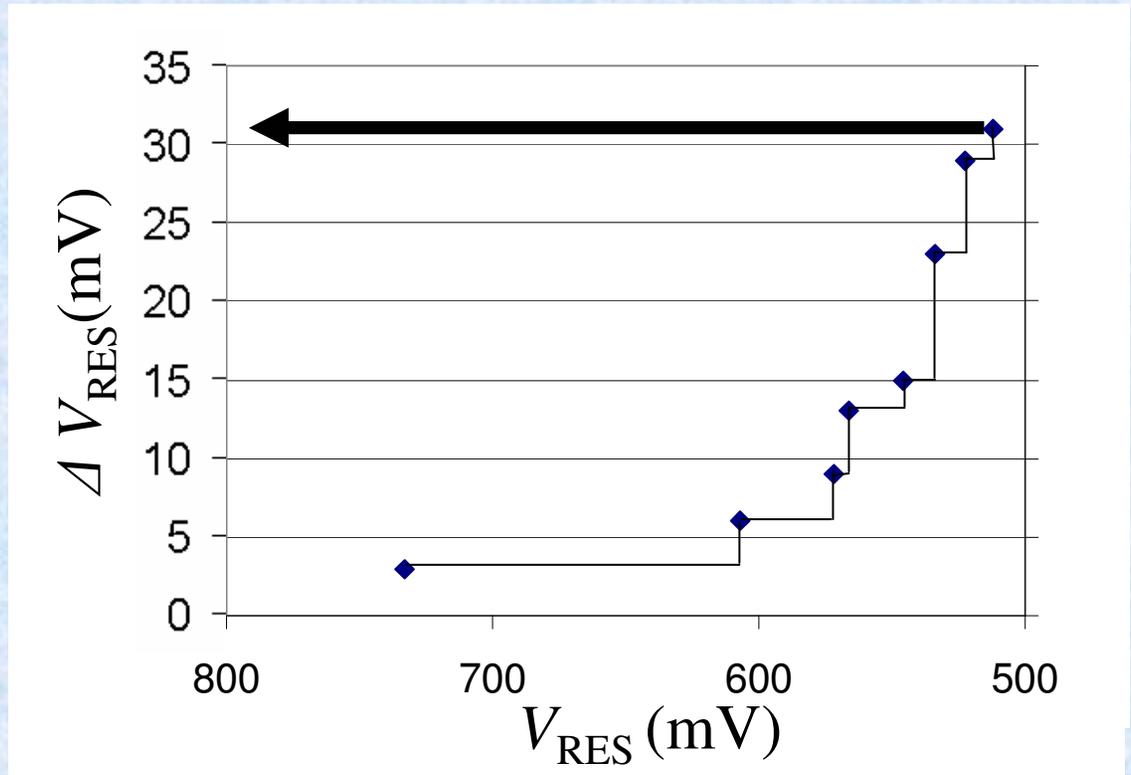
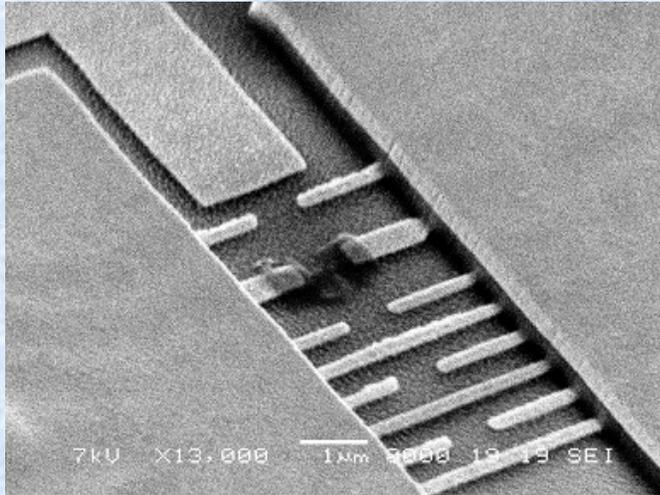


## Phase Shifts in Jumps



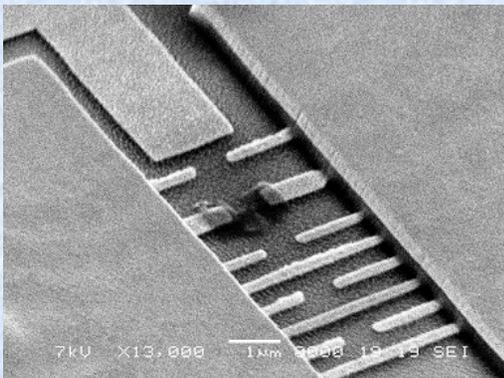
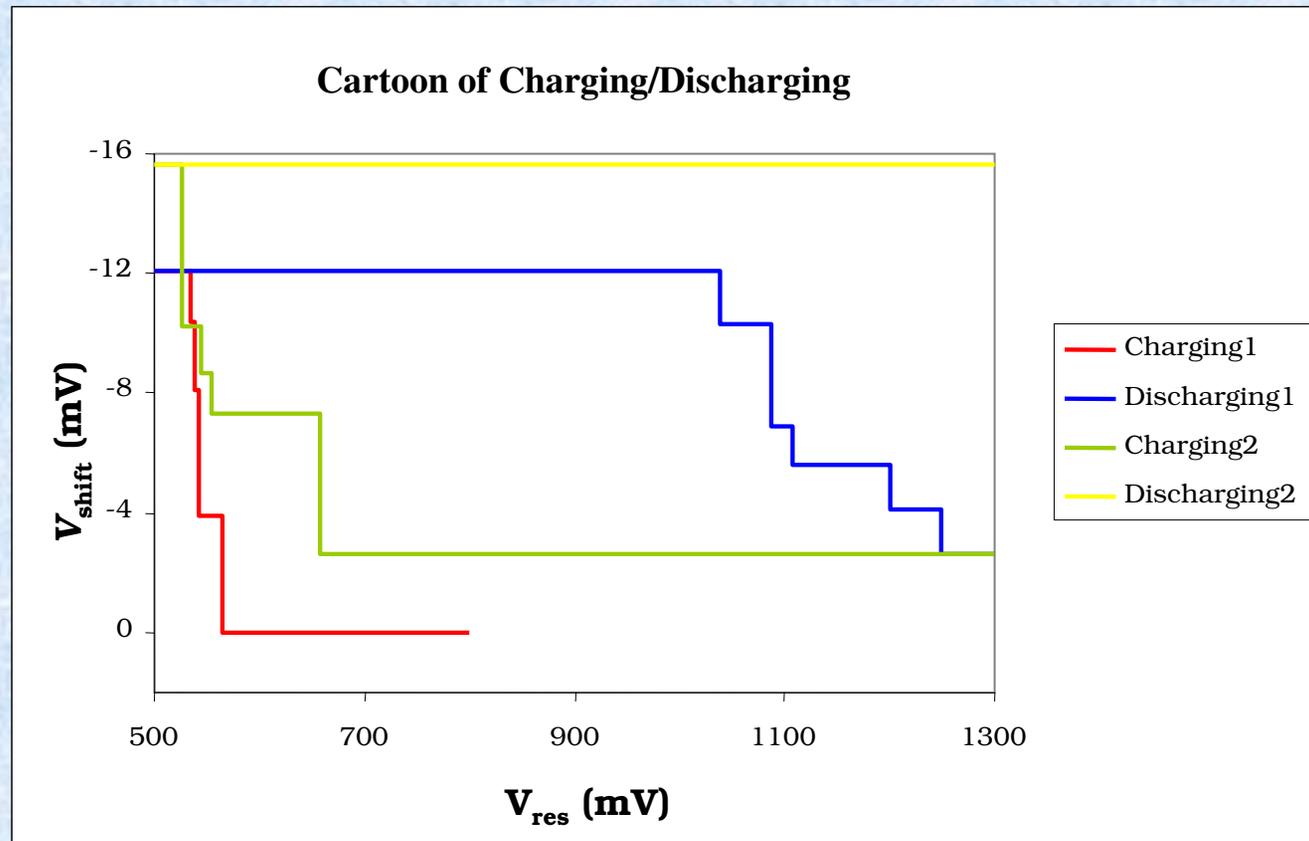
- Phase change accrues in discrete jumps
- Jumps in 'Trap Charging' direction





- Charge movement detected.
- Charge increase in jumps.
- Well charging direction

## Counting Charge Jumps



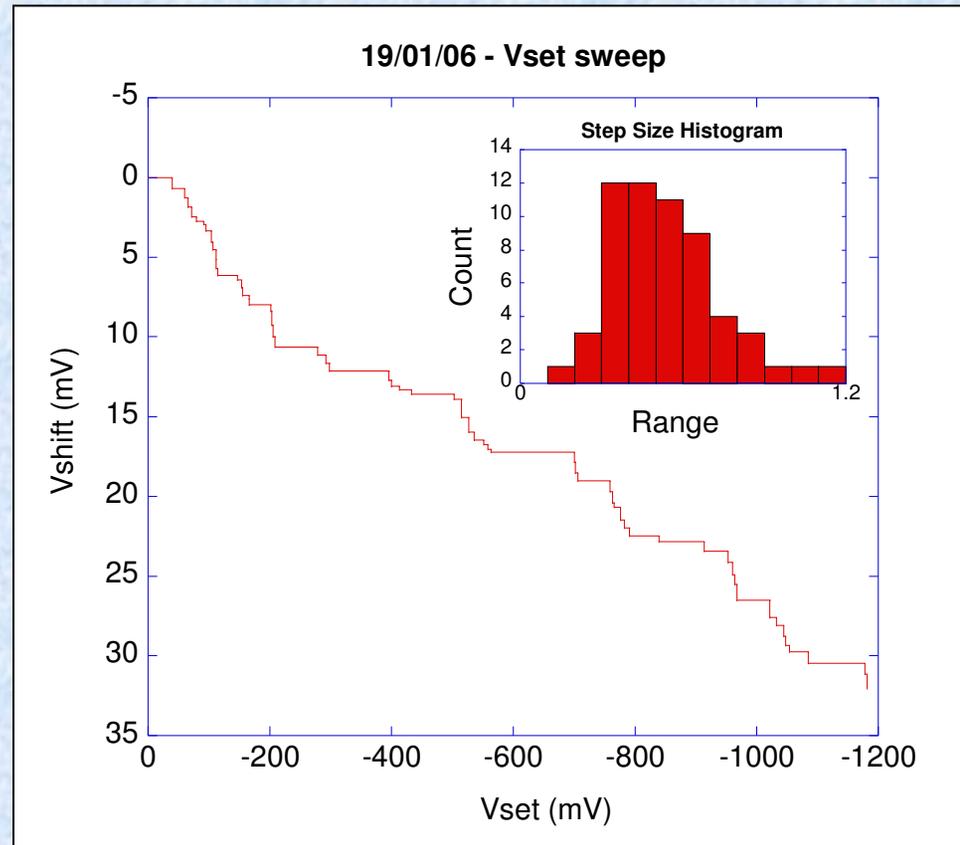
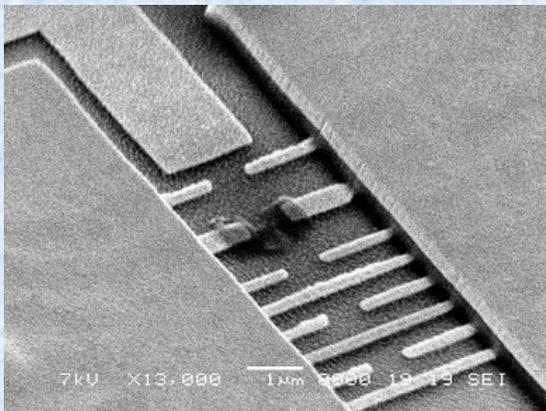
- Can follow hysteretic charge/discharge loop with reservoir electrode sweep
- However charge movement quickly ceases!

# Problem – we cannot discharge the trap above SET!

With all electrodes held at constant potential we can sweep the SET potential negative with respect to the well

Observe many discharging events even at highly negative voltage

Strong indication that our well is too deep...





- Charge stable before firing.
- SET is sensitive to charge movement.
- Trap area can be charged.
- Inability to discharge well indicates sample problems

---

# Fabrication, Problems & Muti-Trap II

David Rees

## Fabrication - Linear trap array design

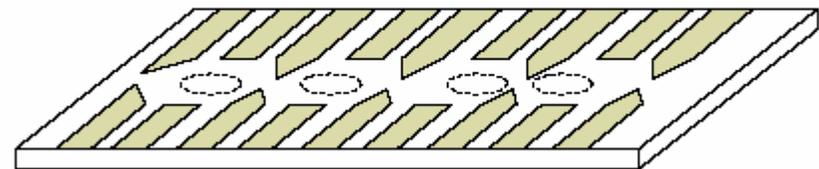
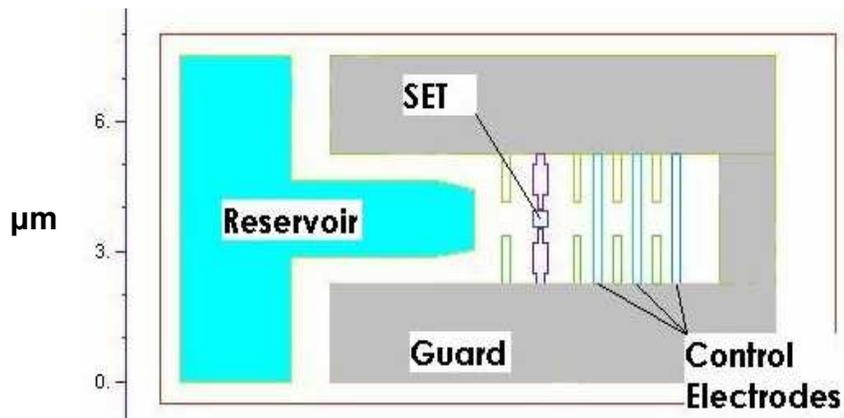
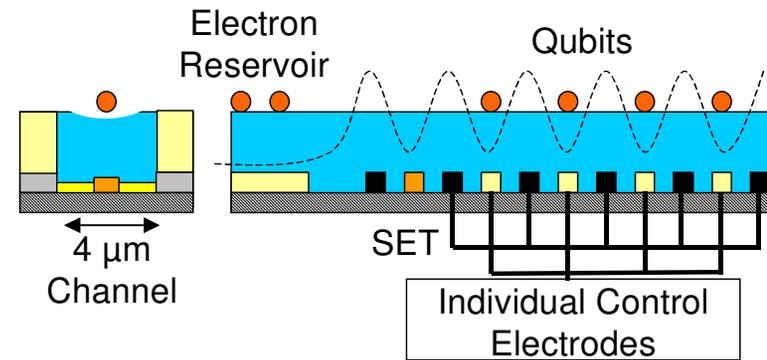
Require linear array of potential wells:

Ideally...

$$V_{\text{well}} \sim 3 \text{ mV}$$

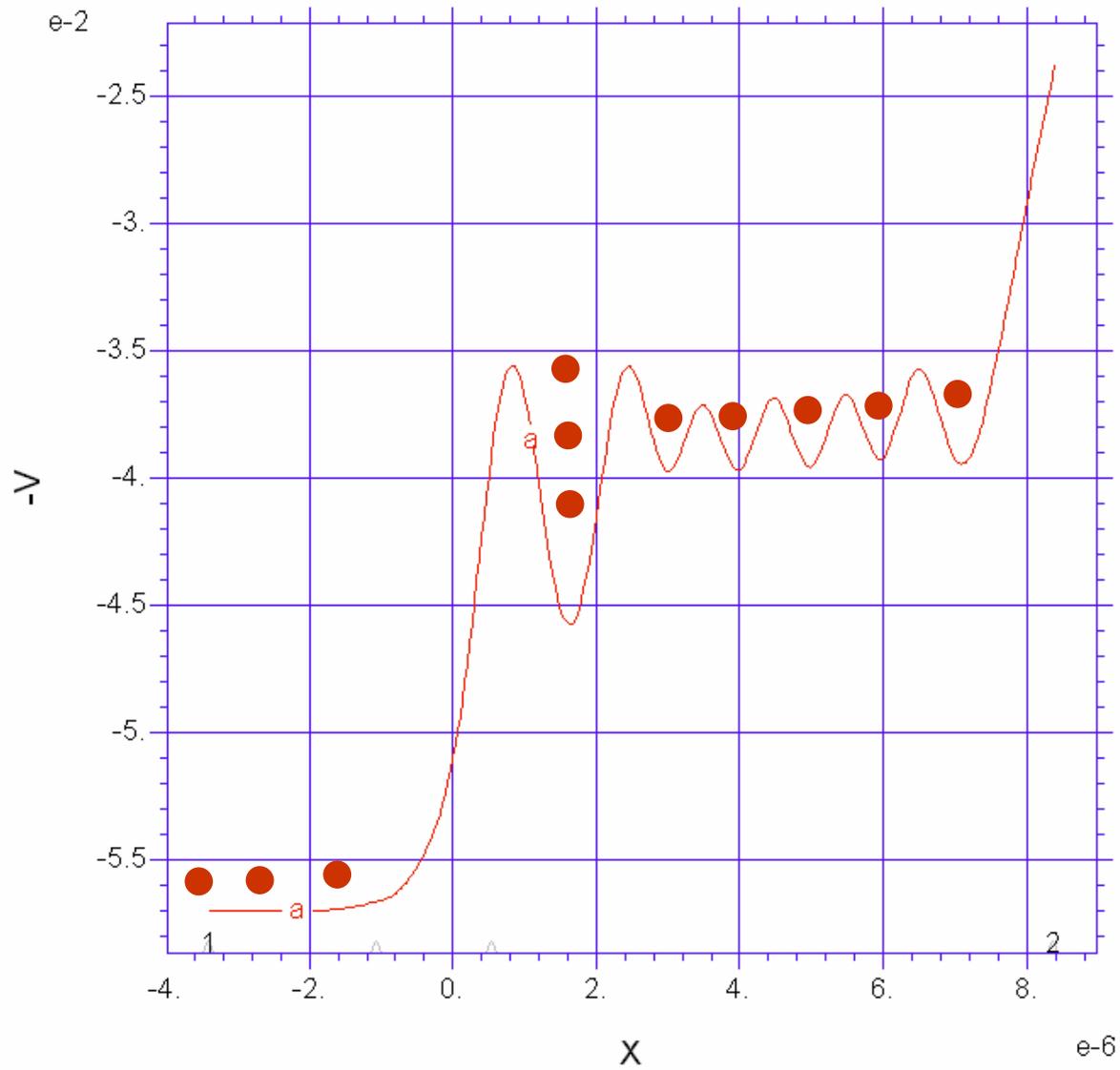
$$d \leq 1.5 \mu\text{m}$$

$$h \sim 0.5 \mu\text{m}$$



DiVincenzo and Loss (PRA 57, 120 (1998))

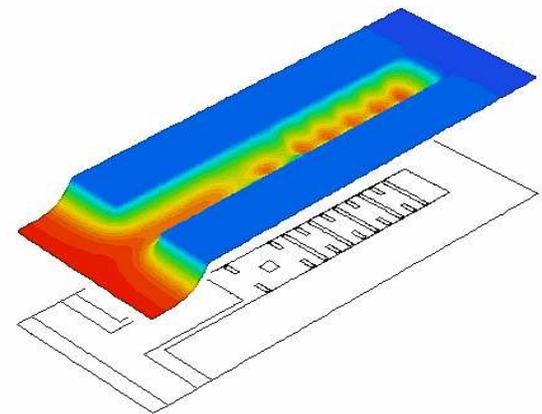
## Modelling of linear trap array

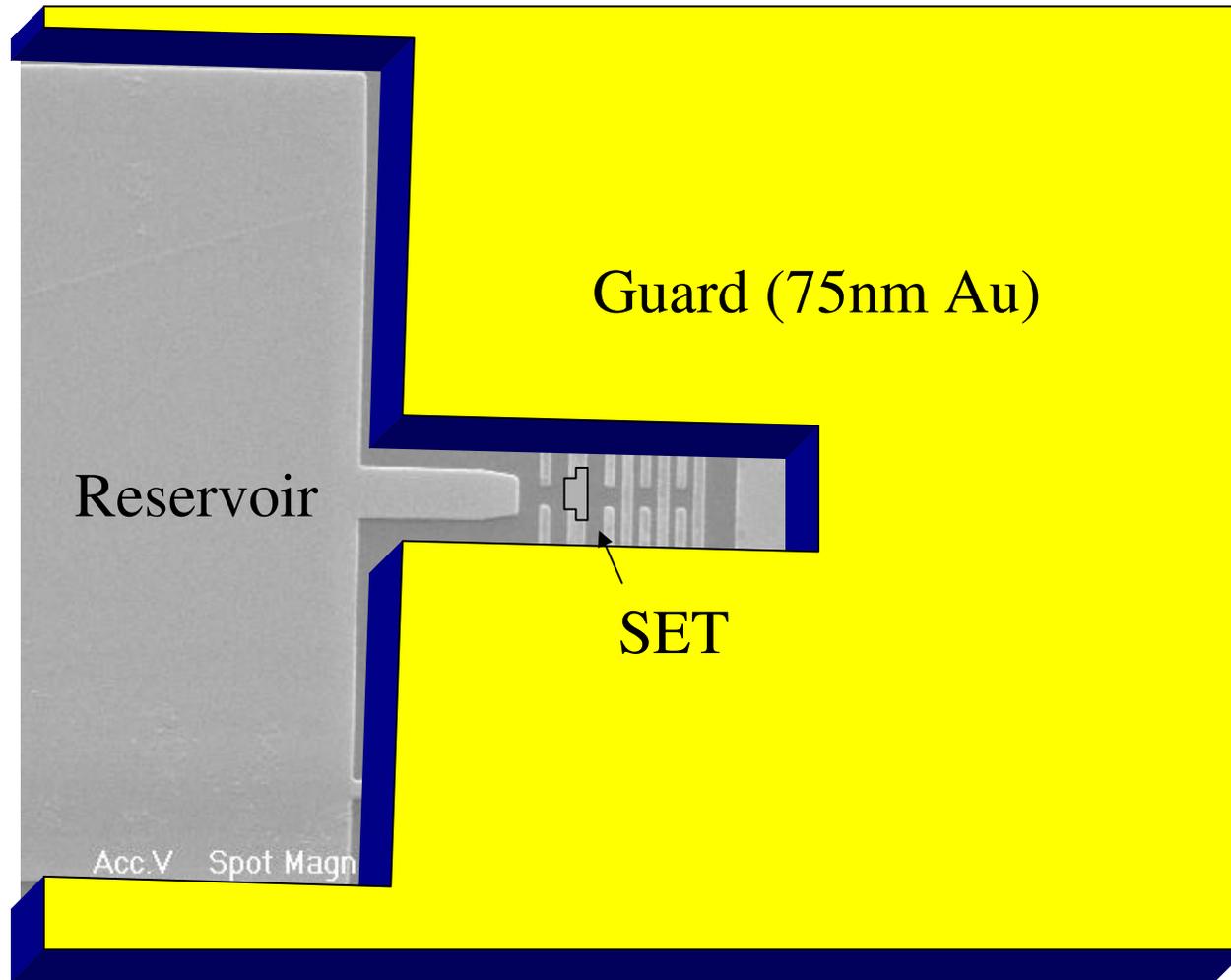


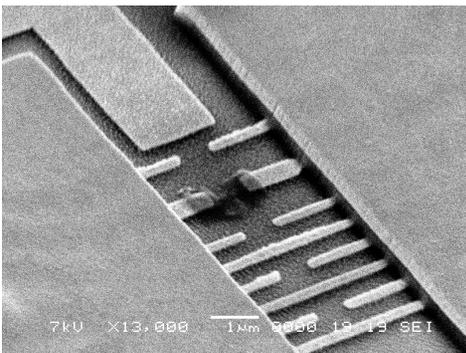
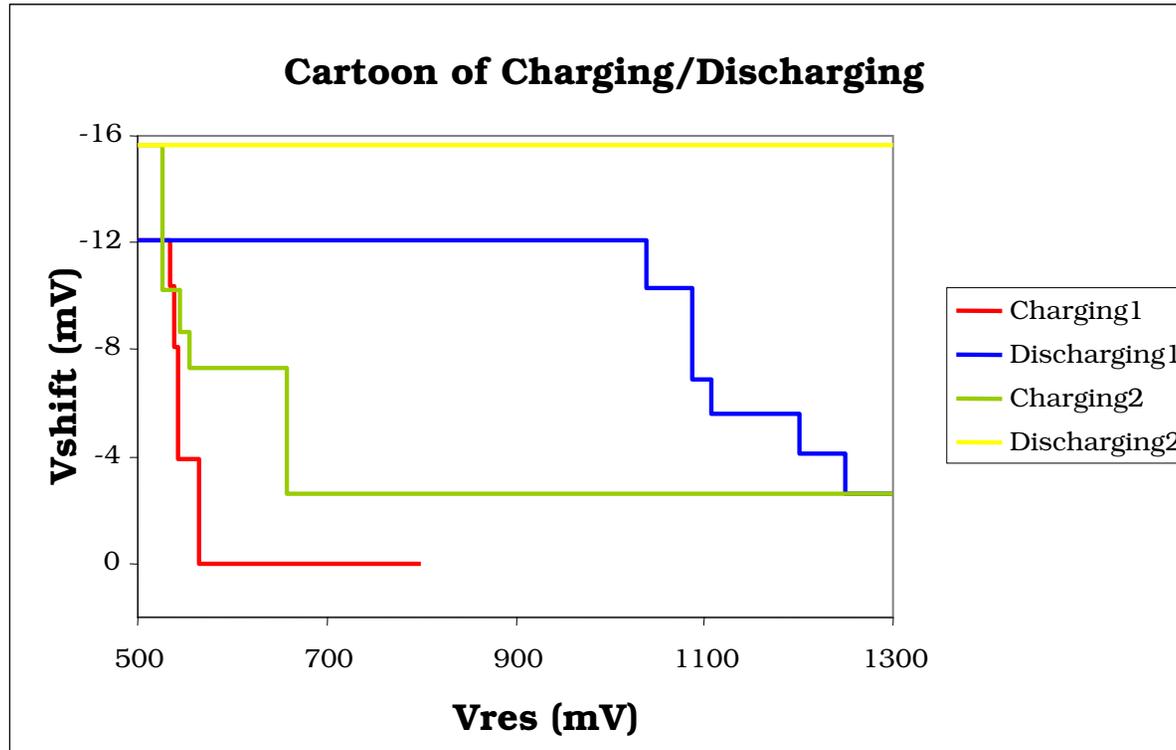
$$d = 1.4 \mu\text{m}$$

$$V_{\text{well}} \approx 3\text{mV}$$

$$f_0 = 21.3 \text{ GHz}$$



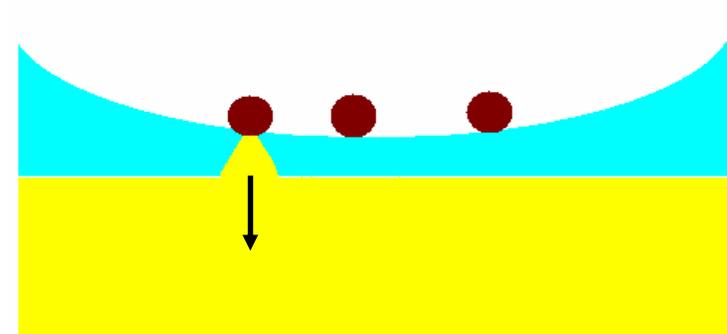
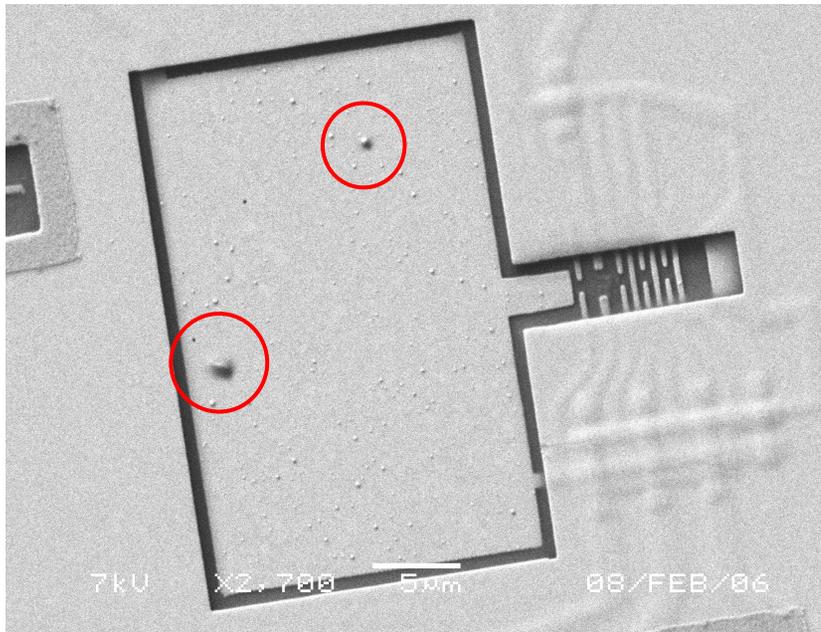




Can follow hysteretic charge/discharge loop with reservoir electrode sweep

However charge movement quickly ceases!

## Problems – charge loss



Electrons may drain through spikes in reservoir electrode

OR

Bending of He film under electrostatic pressure may cause short

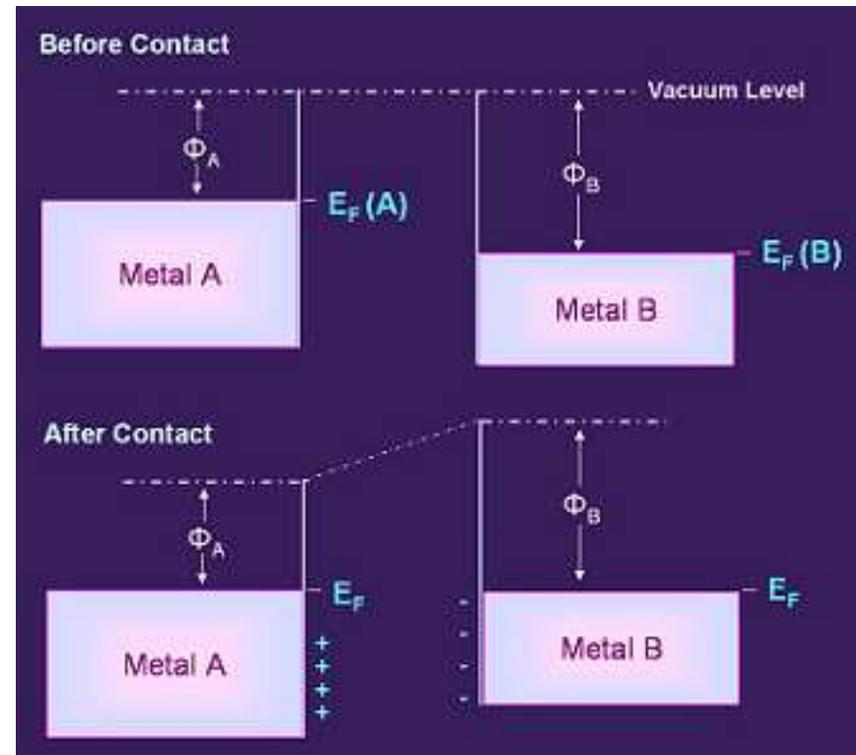
## Problems – Au/Al contact potential

An electrostatic potential (contact potential) develops when two materials of different work functions  $\phi$  are brought into contact:

$$V_{cp} = -(\phi_B - \phi_A)/e$$

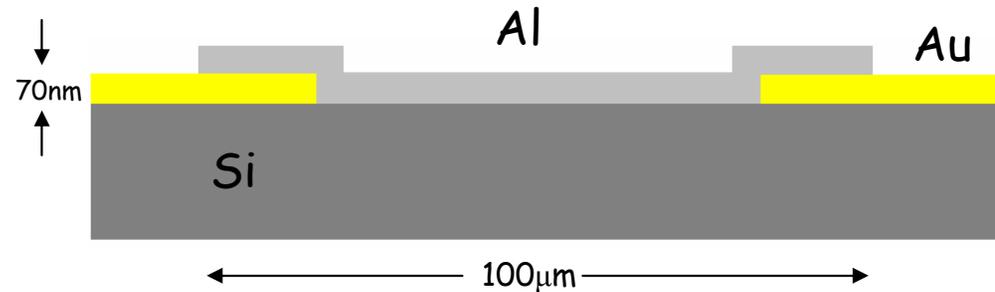
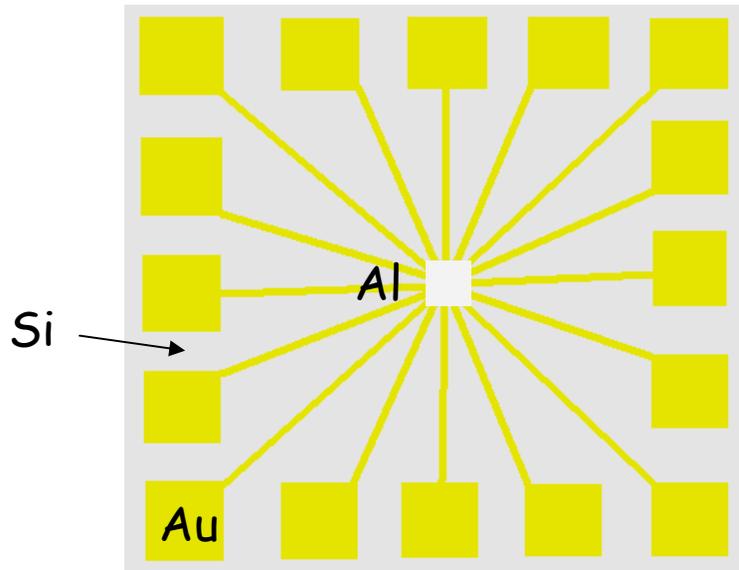
$$\phi_{Au} \approx 5.1\text{eV}, \phi_{Al} \approx 4.1\text{eV}$$

$$\text{For Al/Au: } V_{cp} \approx 1\text{V (!)}$$

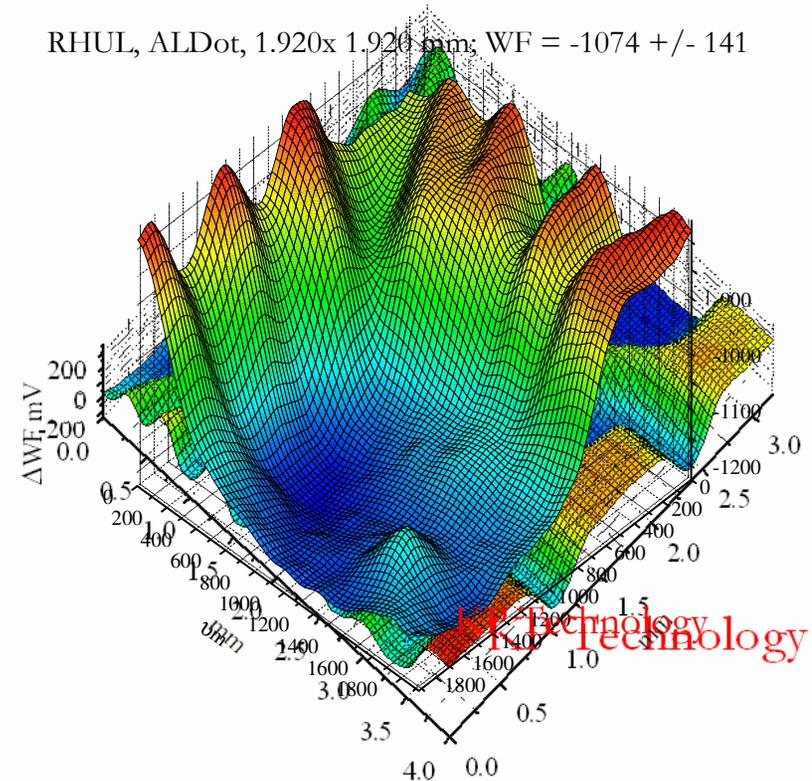




## Problems – Au/Al contact potential



RHUL, ALDot, 1.920x 1.920 mm; WF = -1074 +/- 141



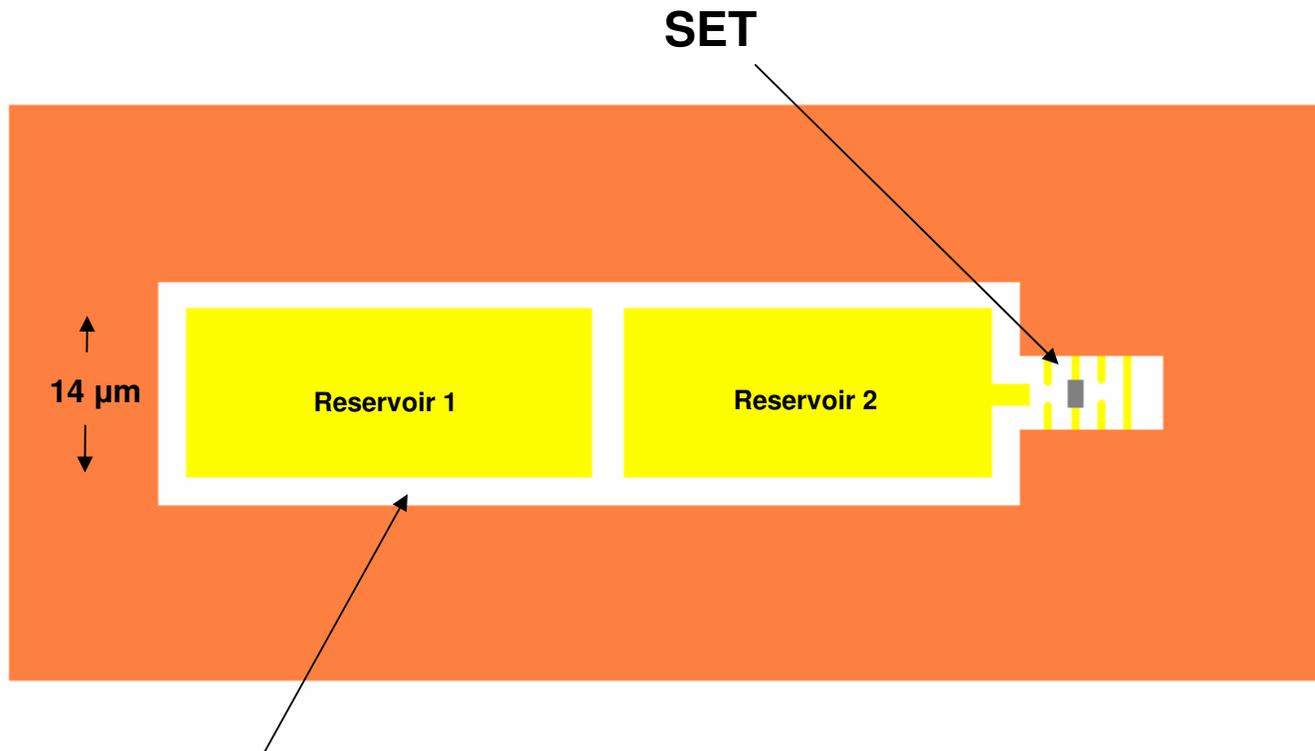
$\phi$  of Al/Au sample measured by KP Technology (Prof. Iain Baikie) via scanning electrostatic probe technique:

$$V_{cp,measured} = 1074 \pm 141 \text{ mV}$$

$$\phi_{Ag} \approx 4.7 \text{ eV}$$

$$\phi_{Nb} \approx 4.3 \text{ eV}$$

We have modified our sample design – fabrication is currently underway firstly in Au and ultimately in Nb!



Split reservoir to observe change in  $C_{RES1}$

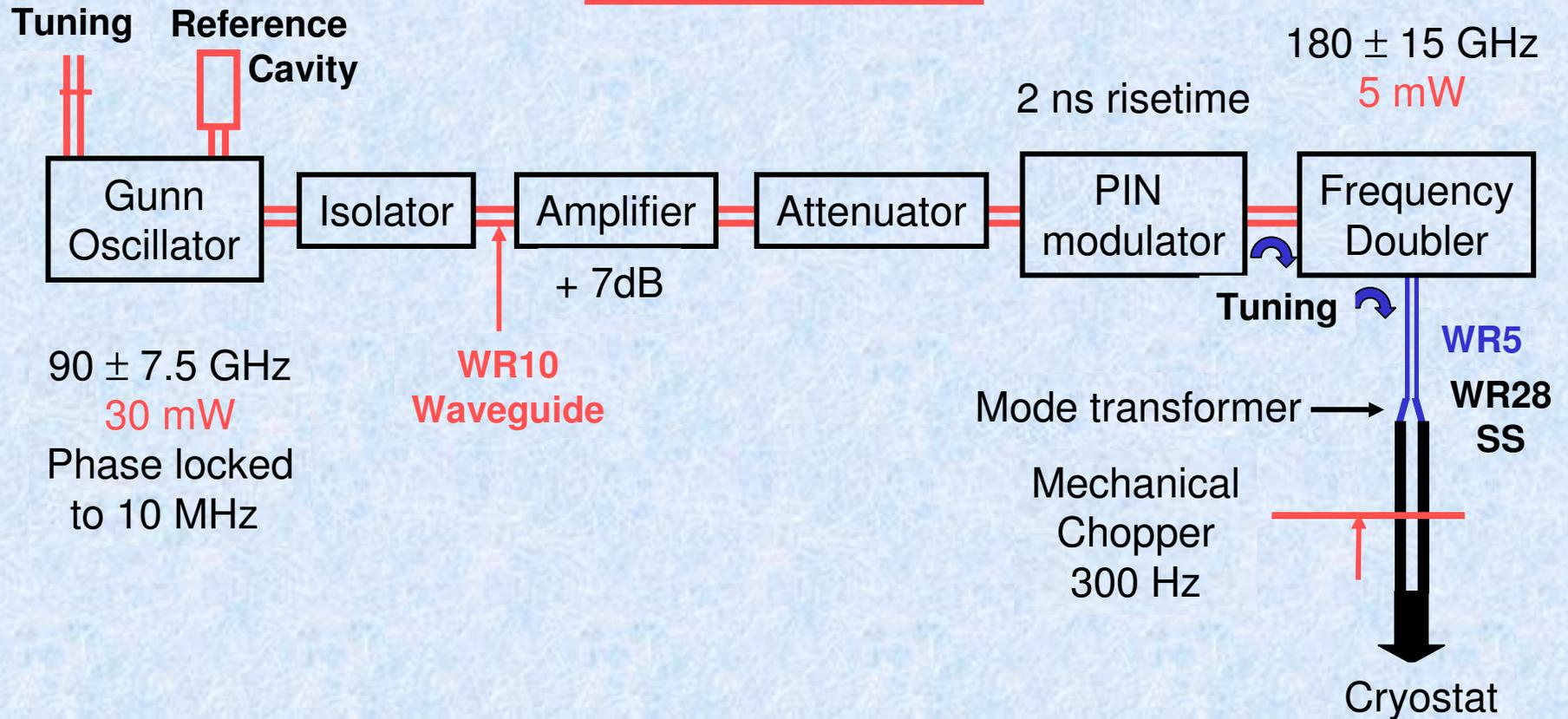
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# The Microwave System and Cell

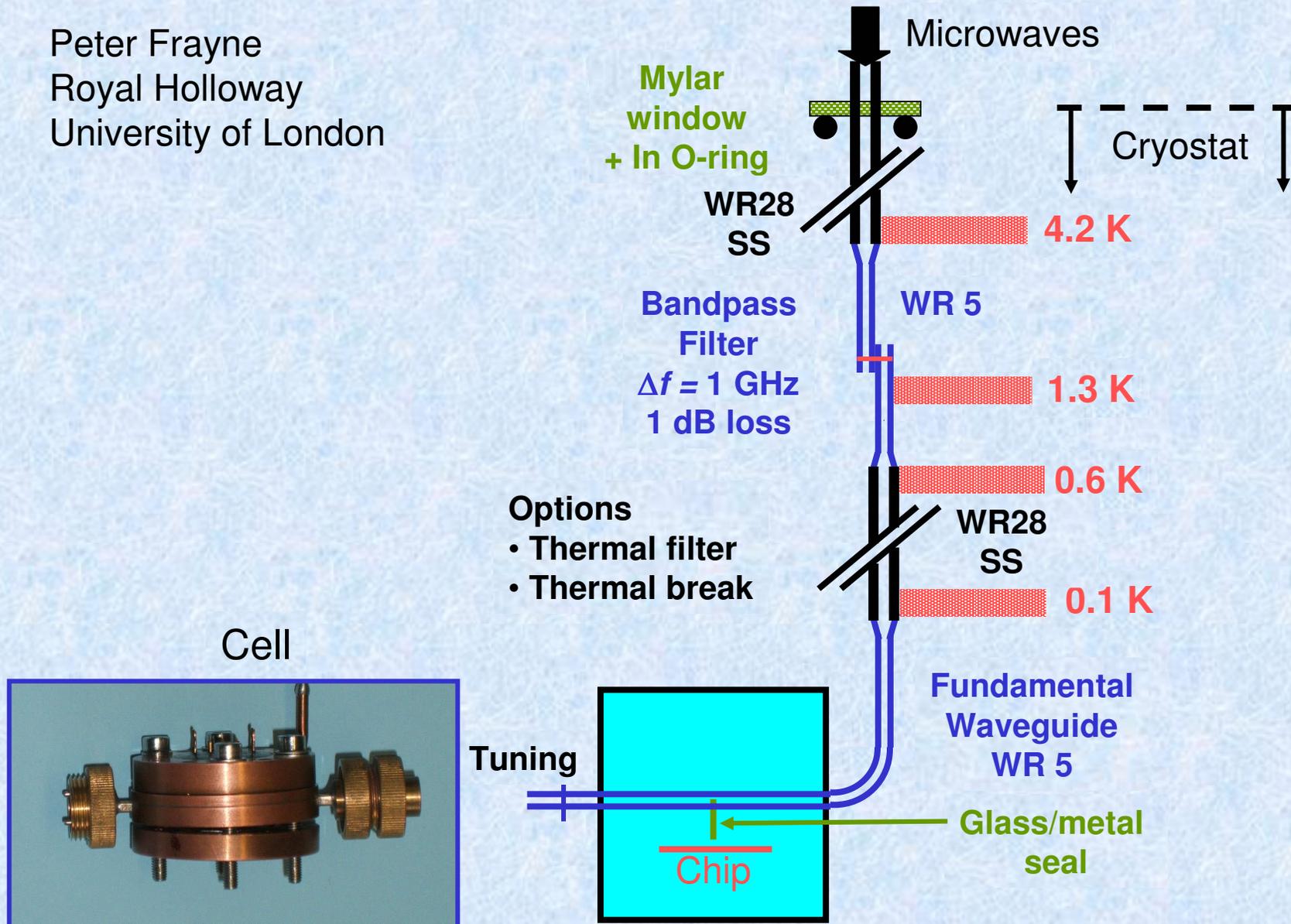
Prof. Mike Lea

Peter Frayne  
Royal Holloway  
University of London

Rydberg  
resonance  
190 GHz  
 $E_z = 10.7$  kV/m



Peter Frayne  
Royal Holloway  
University of London





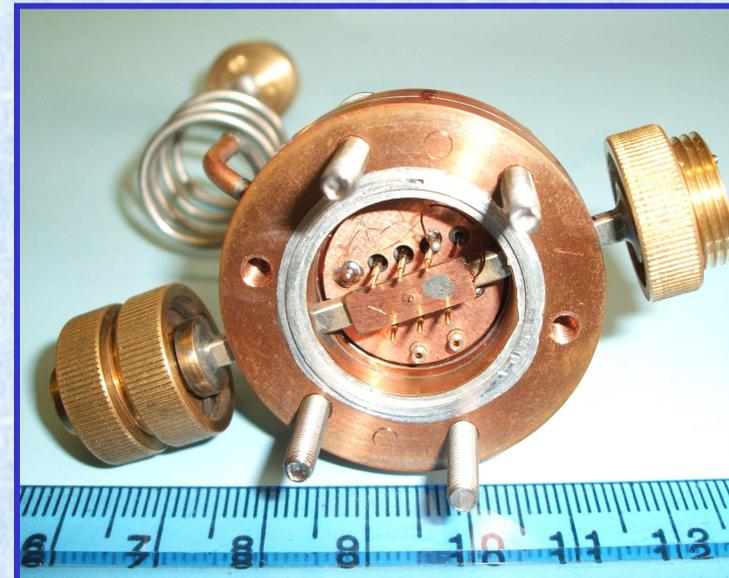
Thermal break in fundamental mode waveguide - two back-to-back waveguide tapers (WR-05 to WR-28) with needle point mountings



Band-pass filter (WR-05) for removing thermal radiation complete with coupling horns to overmoded waveguide (WR-28)



Fundamental mode 'Swan-Neck' coupling piece for microwave cell



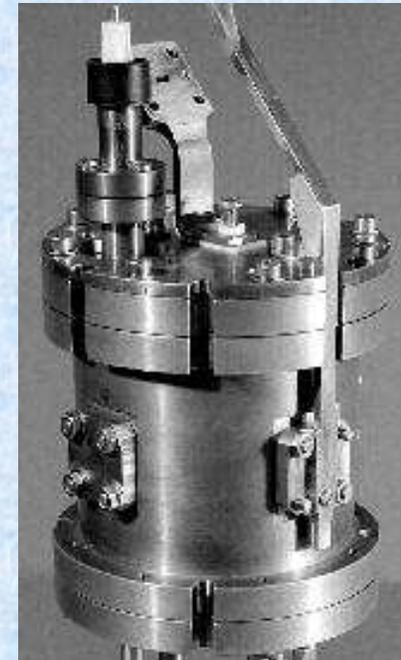
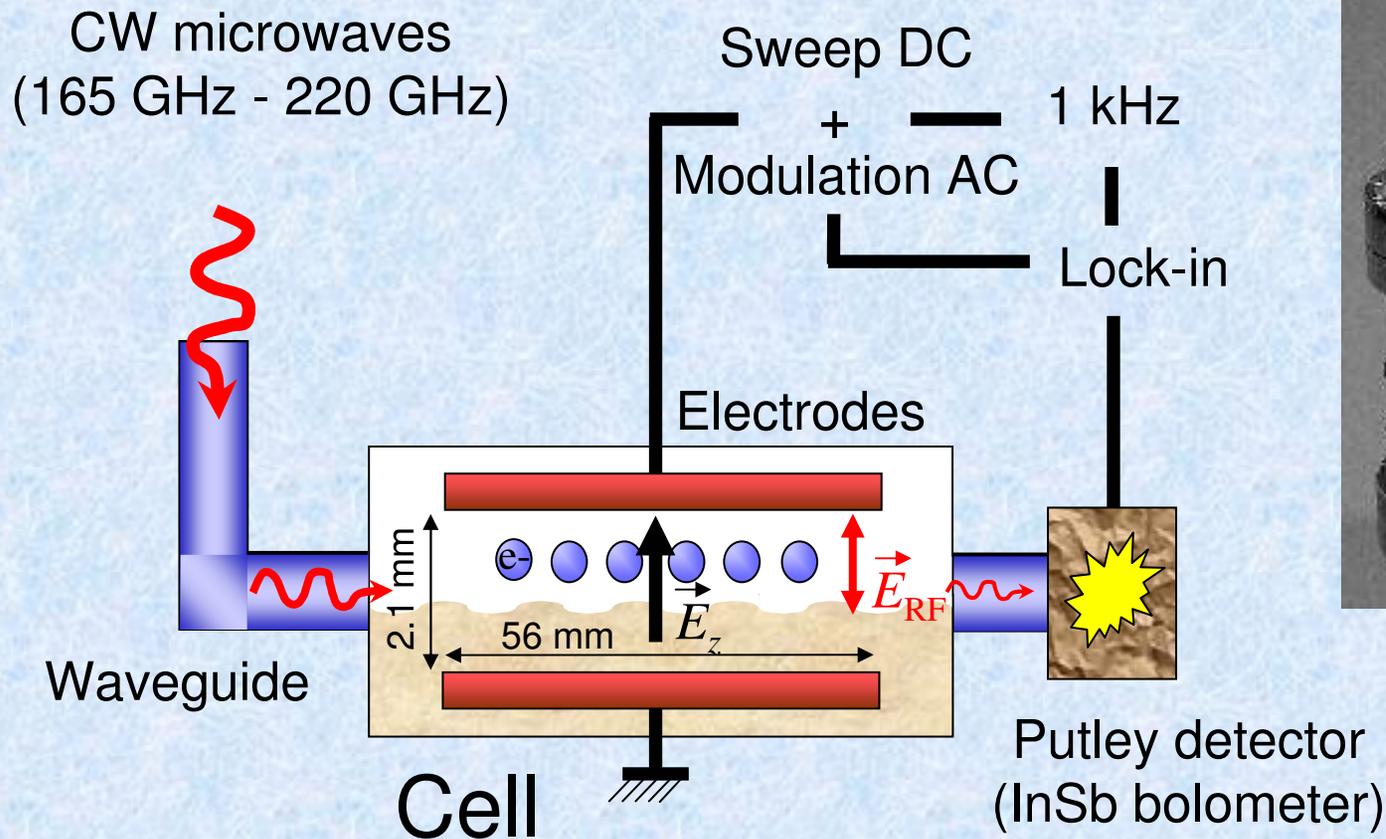
Upper microwave cell showing waveguide and coupling pin

### Low Microwave Power

- Stark tuning resonance  $f_{12}(E_z)$
- Linewidth  $\gamma(T)$
- Temperature dependent resonance  $f_{12}(T)$

### High Microwave Power

- Absorption saturation
- Power broadening
- Absorption hysteresis

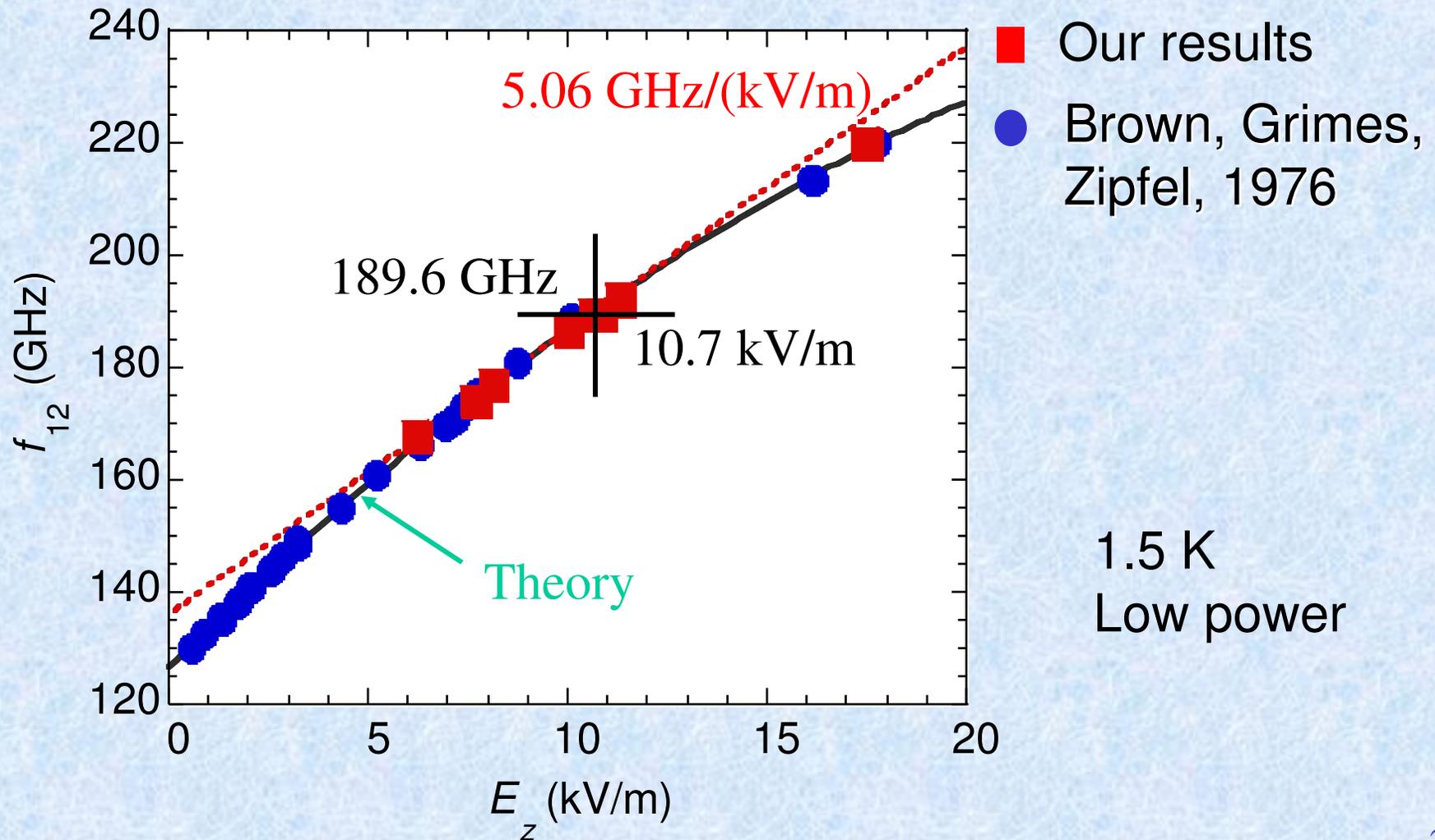


Cell



Ground state to first excited Rydberg state

Resonant frequency  $f_{12}$  increases with  $E_z$

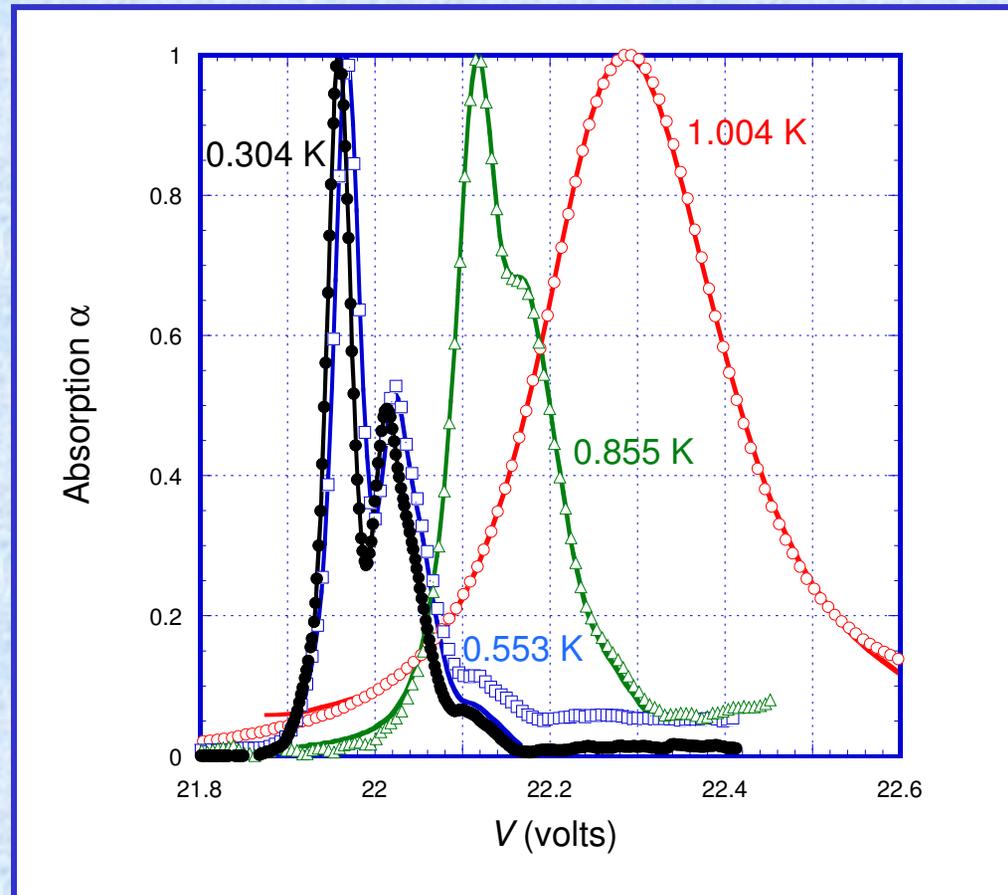


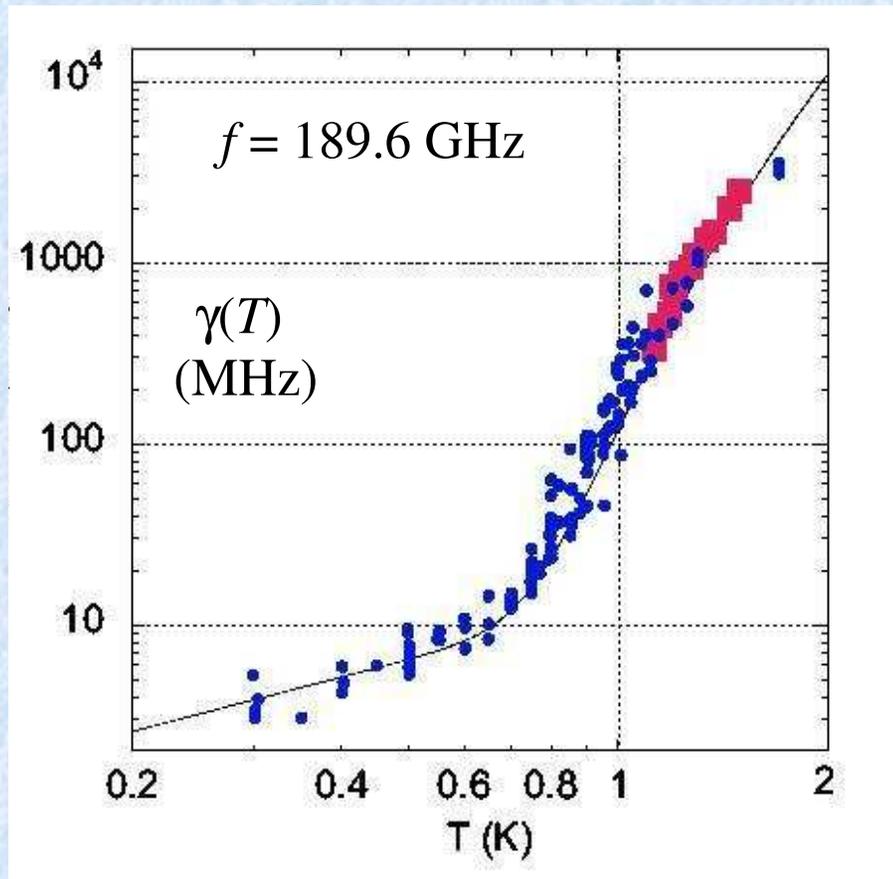
Low temperatures:  
Inhomogenous broadening

Medium temperatures:  
Inhomogenous broadening  
convoluted with a Lorentzian

High temperatures:  
Lorentzian broadening

Resonance frequency *decreases*  
as the temperature *increases*





■ Grimes *et al.* (1976)

Theory: Ando (1976)

$$\gamma = AT + BN_{gas}$$

Ripplon    Gas atom  
Scattering

NB not the absolute linewidth  
Inhomogeneous broadening  
plus a contribution  $\gamma(T)$

E. Collin *et al.* PRL **89**, 245301 (2002)

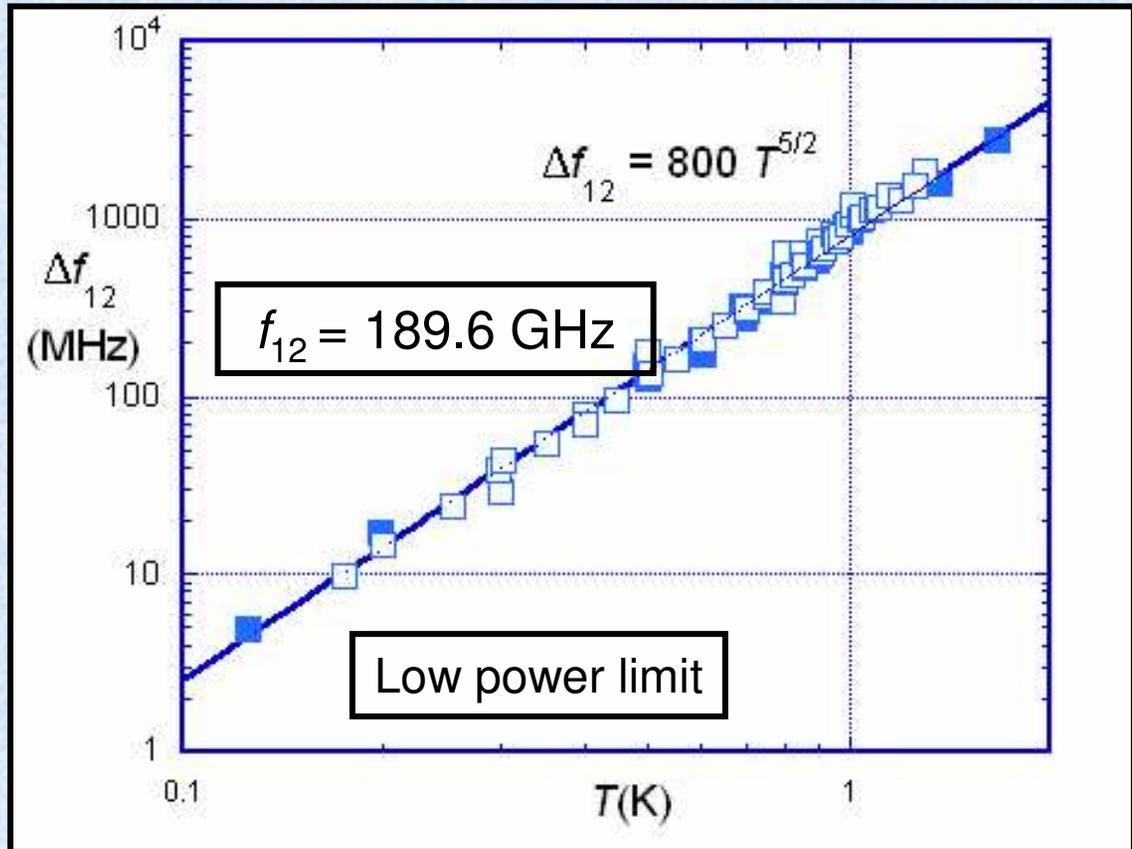
$$\Delta f_{12}(T) = f_{12}(0) - f_{12}(T) \approx 800 \text{ MHz at } 1 \text{ K}$$

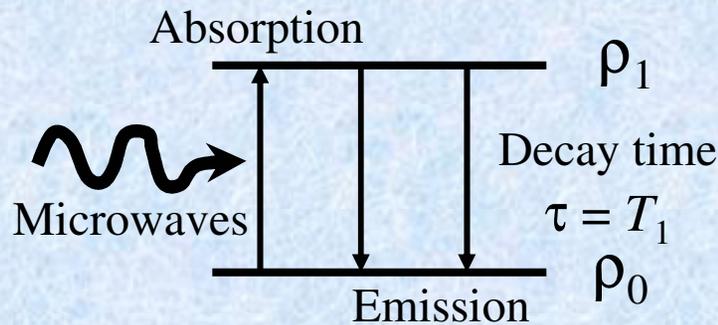
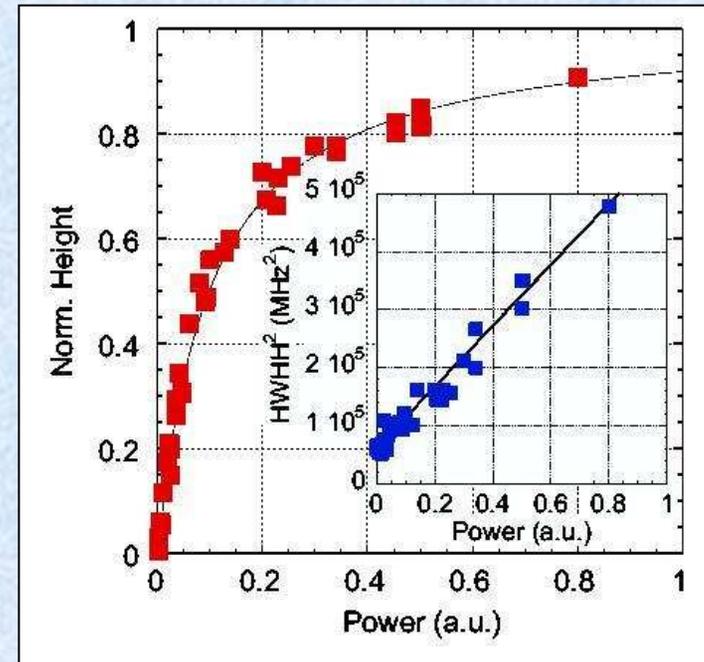
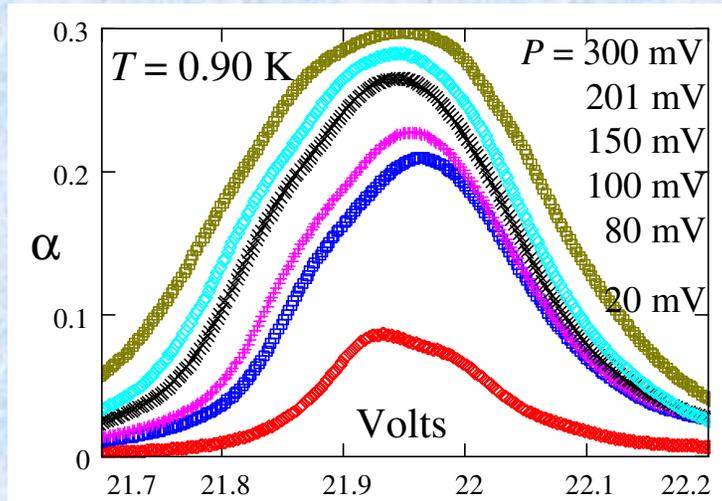
$$\Delta f_{12}(T) \propto T^{5/2} \text{ or } \propto T^{7/3}$$

b

$T$ -dependent surface profile and potential well

2-rippion effects?





2-level system?

Rabi frequency  $\Omega$   
 $\Omega^2 \propto \text{Power}$

$$\alpha = \frac{0.5N\gamma\Omega^2}{\delta^2 + \gamma^2 + \gamma\tau\Omega^2}$$

$$\gamma_P^2 = \gamma^2 + \gamma\tau\Omega^2$$

BUT:  
 Heating?  
 Higher sub-bands?  
 Bleaching?

Vertical transitions:

Microwave absorption  $1 \rightarrow 2$

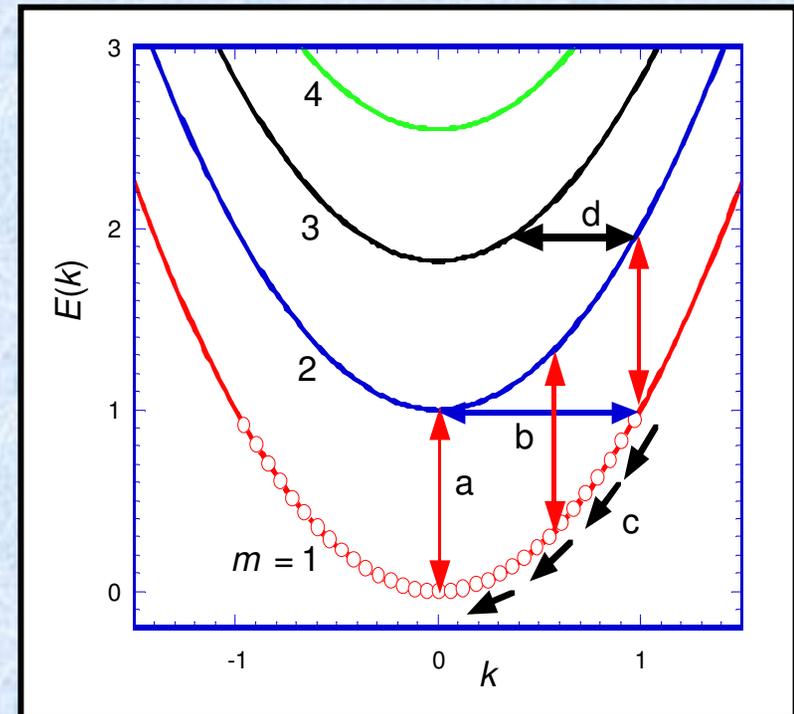
Energy relaxation  $\tau_E: N \rightarrow 2 \rightarrow 1$   
(2-ripplon)

Horizontal transitions:

Momentum scattering  $\tau_k: N \leftrightarrow 2 \leftrightarrow 1$   
(1-ripplon + gas atom)

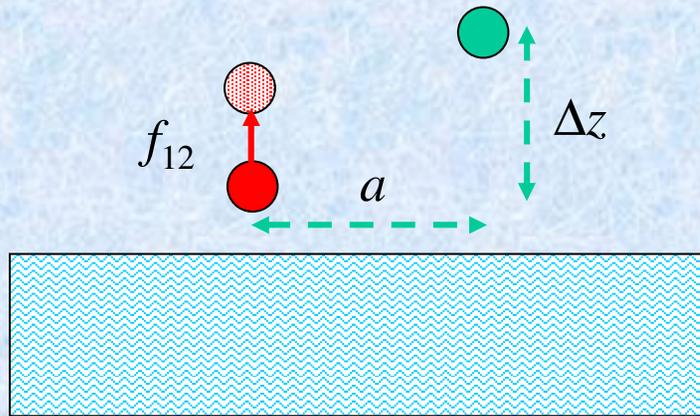
Thermal equilibrium

Electron-electron scattering  $\tau_{ee}$



$$\tau_{ee} \ll \tau_k \ll \tau_E$$

Microwave energy  $\rightarrow$  Very hot electrons  $\rightarrow$  Excited sub-bands  
 $\rightarrow$  Bleaching + Population saturation  
 $\rightarrow$  Power broadening + Absorption saturation



$$\Delta f_{12} = \frac{e^2 \Delta z^2}{h 4\pi\epsilon_0 a^3}$$

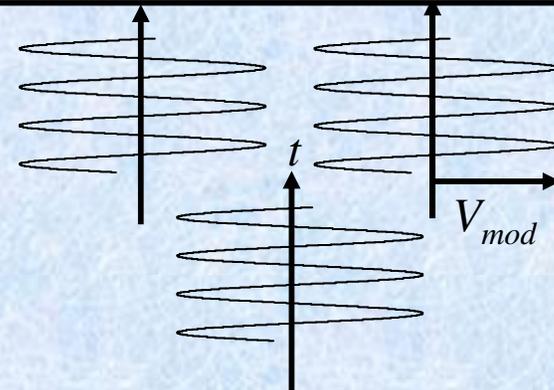
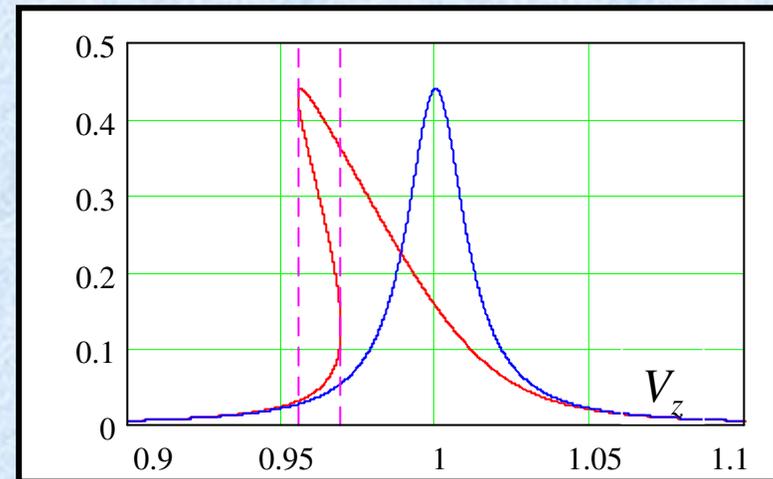
Resonance frequency shifts with

- Electron density
- Power absorbed (excited state population)

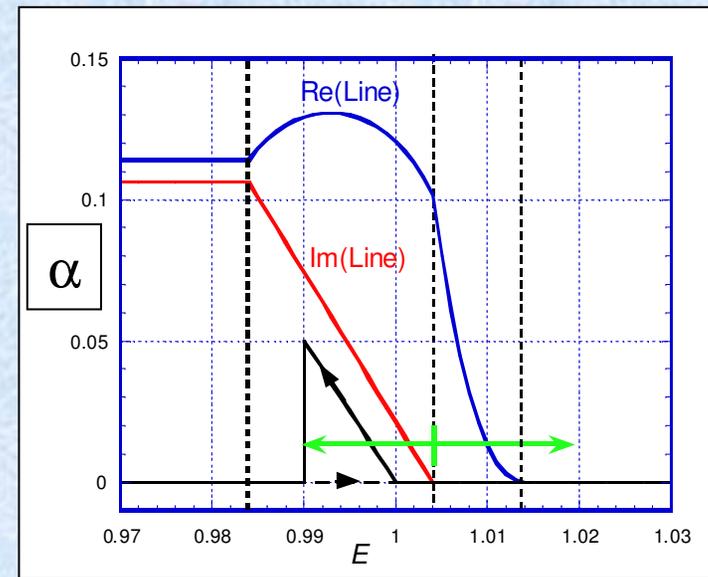
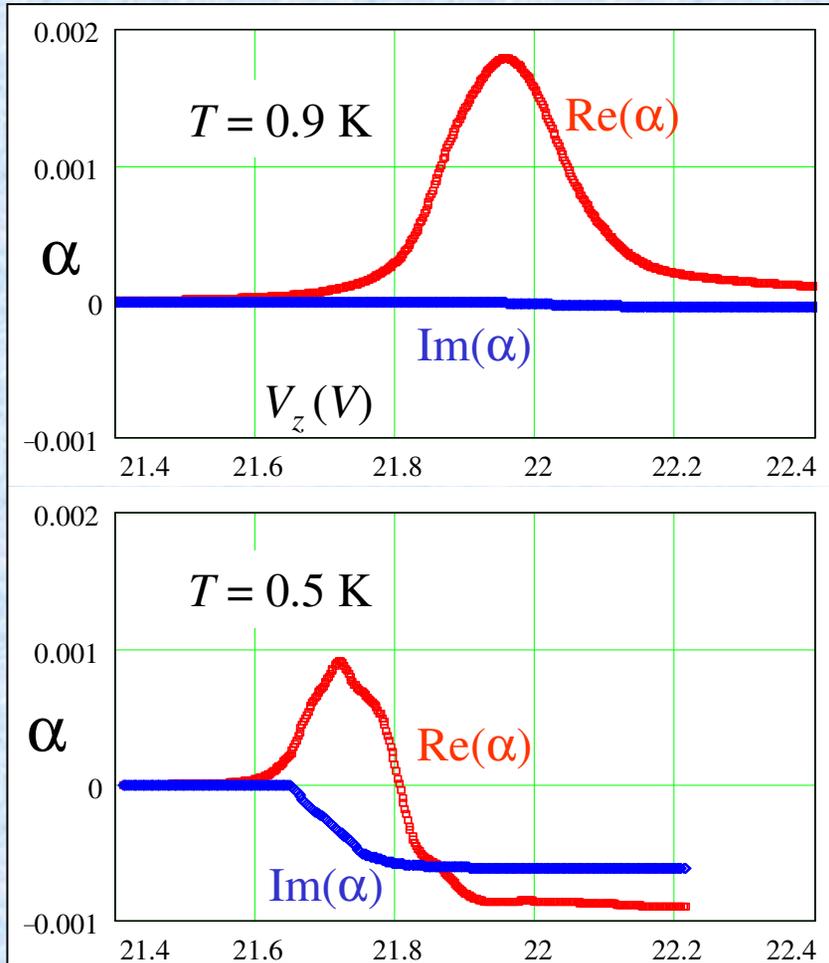
$$\Delta f_{12} \approx 34 \text{ MHz}$$

$$n = 10^{11} \text{ m}^{-2}$$

2-level saturation



Finite a.c. voltage modulation





### Low Microwave Power

- Stark tuning resonance  $f_{12}(E_z)$
- Linewidth  $\gamma(T)$
- Temperature dependent resonance  $f_{12}(T)$

### High Microwave Power

- Absorption saturation
- Power broadening
- Absorption hysteresis

---

# Future Setup

## RF Set

Dr. Vladimir Antonov